Algebra II Lesson #3 Unit 7 Class Worksheet #3 For Worksheet #4 Given any two points in a plane,

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### Given any two points in a plane, we want to consider all points in the plane such that the <u>difference</u> of their distances from the two given points is 6 units. Distance Distance **From F**<sub>1</sub> From F<sub>2</sub> 9 3 9 3 8 2 F<sub>1</sub> F<sub>2</sub> 2 8 4 **10**

4 10 4 10 All points on this circle are 4 units from F<sub>1</sub>. We need the 2 points where these circles intersect.

# Given any two points in a plane, we want to consider all points in the plane such that the difference of their distances from the two given points is 6 units. Distance From F1














































































The graph of <u>all points</u> in the plane such that the difference of their distances from  $F_1$  and  $F_2$  is 6 units



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a = 3. The midpoint of the transverse axis is the 'center' of the hyperbola. The distance from the center of the hyperbola to each focus is c. In this case c = 5. Each endpoint of the transverse axis is called a vertex of the hyperbola.



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If point P(x, y) represents any point on the 'right branch' of the hyperbola, then  $PF_2 - PF_1 = -6$ Therefore, if P(x, y) represents <u>any point on the hyperbola</u>, then



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If point P(x, y) represents any pointon the 'right branch' of the hyperbola, then $PF_2 - PF_1 = -6$ Therefore, if P(x, y) represents any point on the hyperbola,then $PF_2 - PF_1 = \pm 6$ 

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If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then  $PF_2 - PF_1 = \pm 6$ 



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The coordinates of  $F_2$  are (5, 0).



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 -



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If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then  $PF_2 - \frac{PF_1}{PF_1} = \pm 6$ 

$$PF_2 = \sqrt{(x-5)^2 + y^2}$$

$$PF_1 = \sqrt{(x+5)^2 + y^2}$$

$$\sqrt{(x-5)^2+y^2}$$
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If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then  $PF_2 - \frac{PF_1}{PF_1} = \pm 6$ 

$$PF_2 = \sqrt{(x-5)^2 + y^2}$$

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**Once again, the process is difficult – but no magic math here.** 





























































































## Subtract 10x + 36 from both sides.















**Divide both sides by -4.** 



























 $(5x+9)^2 = 9[(x+5)^2 + y^2]$ 







 $25x^2$ 



$$(5x+9)^2 = 9[(x+5)^2 + y^2]$$

 $25x^2 + 90x$ 



$$(5x+9)^2 = 9[(x+5)^2 + y^2]$$

 $25x^2 + 90x + 81$ 



$$(5x+9)^2 = 9[(x+5)^2 + y^2]$$

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 $(5x + 9)^2 = 9[(x + 5)^2 + y^2]$ 

 $25x^2 + 90x + 81 = 9[$ 



$$(5x+9)^2 = 9[(x+5)^2 + y^2]$$

 $25x^2 + 90x + 81 = 9[x^2]$ 



 $(5x+9)^2 = 9[(x+5)^2 + y^2]$ 

 $25x^2 + 90x + 81 = 9[x^2 + 10x]$


 $25x^2 + 90x + 81 = 9[x^2 + 10x + 25]$ 

**Square the binomials.** 



 $25x^2 + 90x + 81 = 9[x^2 + 10x + 25]$ 

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**Square the binomials.** 



 $25x^2 + 90x + 81 = 9[x^2 + 10x + 25 + y^2]$ 





# **Perform the indicated multiplication.**







**Perform the indicated multiplication.** 













 $25x^2$ 



 $25x^2 =$ 



 $25x^2 = 9x^2$ 



 $25x^2 = 9x^2 + 144$ 



 $25x^2 = 9x^2 + 144 + 9y^2$ 



 $25x^2 = 9x^2 + 144 + 9y^2$ 





 $25x^2 = 9x^2 + 144 + 9y^2$ 



**16x**<sup>2</sup>



 $16x^2 - 9y^2$ 



$$16x^2 - 9y^2 =$$



$$16x^2 - 9y^2 = 144$$





 $16x^2 - 9y^2 = 144$ 



 $16x^2 - 9y^2 = 144$ 

## **Divide both sides by 144 and reduce to lowest terms.**



## **Divide both sides by 144 and reduce to lowest terms.**









**Divide both sides by 144 and reduce to lowest terms.** 






of this hyperbola.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

**Consider these equations which are equivalent to the standard form equation.** 



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

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**Standard Form Equation** 

**Consider these equations which are equivalent to the standard form equation.** 

$$16x^2 - 9y^2 = 144$$
$$16x^2 - 9y^2 - 144$$



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**Standard Form Equation** 

**Consider these equations which are equivalent to the standard form equation.** 

$$16x^2 - 9y^2 = 144$$
$$16x^2 - 9y^2 - 144 = 0$$

This is the <u>general form equation</u> of this hyperbola.







We still have more to do to connect the standard form equation to the graph.



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$$16x^2 - 9y^2 - 144 = 0$$



Solve for y:  $16x^2 - 9y^2 - 144 = 0$ 













Solve for y:  $16x^2 - 9y^2 - 144 = 0$  $16x^2 - 144 = 9y^2$ 



#### **Factor the left side of the equation.**














**Factor the left side of the equation.** Factor out 16x<sup>2</sup> !



$$16x^{2} - 144 = 9y^{2}$$
$$16x^{2}(1 - \frac{9}{x^{2}}) = 9y^{2}$$



$$16x^2(1-\frac{9}{x^2})=9y^2$$



Solve for y:  $16x^2 - 9y^2 - 144 = 0$  $16x^2 - 144 = 9y^2$   $\frac{16x^2}{9}$ 

$$16x^2(1-\frac{9}{x^2})=9y^2$$



Solve for y:  $16x^2 - 9y^2 - 144 = 0$   $16x^2 - 144 = 9y^2$   $\frac{16x^2}{9}(1 - \frac{9}{x^2})$  $16x^2(1 - \frac{9}{x^2}) = 9y^2$ 



Solve for y:  $16x^2 - 9y^2 - 144 = 0$   $16x^2 - 144 = 9y^2$   $\frac{16x^2}{9}(1 - \frac{9}{x^2}) =$  $16x^2(1 - \frac{9}{x^2}) = 9y^2$ 



Solve for y:  $16x^2 - 9y^2 - 144 = 0$   $16x^2 - 144 = 9y^2$   $\frac{16x^2}{9}(1 - \frac{9}{x^2}) = y^2$  $16x^2(1 - \frac{9}{x^2}) = 9y^2$ 



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Solve for y:  $16x^2 - 9y^2 - 144 = 0$   $16x^2 - 144 = 9y^2$   $\frac{16x^2}{9}(1 - \frac{9}{x^2}) = y^2$   $16x^2(1 - \frac{9}{x^2}) = 9y^2$   $y = \pm \sqrt{2}$ Apply the square root property to solve



Solve for y:  $16x^2 - 9y^2 - 144 = 0$   $16x^2 - 144 = 9y^2$   $\frac{16x^2}{9}(1 - \frac{9}{x^2}) = y^2$   $16x^2(1 - \frac{9}{x^2}) = 9y^2$   $y = \pm \sqrt{\frac{16x^2}{9}(1 - \frac{9}{x^2})}$ Apply the square root property to solve for y.



Solve for y:  $16x^2 - 9y^2 - 144 = 0$   $16x^2 - 144 = 9y^2$   $\frac{16x^2}{9}(1 - \frac{9}{x^2}) = y^2$  $16x^2(1 - \frac{9}{x^2}) = 9y^2$   $y = \pm \sqrt{\frac{16x^2}{9}(1 - \frac{9}{x^2})}$ 



Solve for y:  $16x^2 - 9y^2 - 144 = 0$   $16x^2 - 144 = 9y^2$   $\frac{16x^2}{9}(1 - \frac{9}{x^2}) = y^2$   $16x^2(1 - \frac{9}{x^2}) = 9y^2$   $y = \pm \sqrt{\frac{16x^2}{9}(1 - \frac{9}{x^2})}$ Simplify the square root.



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Solve for y:  $16x^2 - 9y^2 - 144 = 0$   $16x^2 - 144 = 9y^2$   $\frac{16x^2}{9}(1 - \frac{9}{x^2}) = y^2$   $16x^2(1 - \frac{9}{x^2}) = 9y^2$   $y = \pm \sqrt{\frac{16x^2}{9}(1 - \frac{9}{x^2})} = \pm \frac{4x}{3}\sqrt{(1 - \frac{9}{x^2})}$ Simplify the square root.



Solve for y:  $16x^2 - 9y^2 - 144 = 0$   $16x^2 - 144 = 9y^2$   $\frac{16x^2}{9}(1 - \frac{9}{x^2}) = y^2$  $16x^2(1 - \frac{9}{x^2}) = 9y^2$   $y = \pm \sqrt{\frac{16x^2}{9}(1 - \frac{9}{x^2})} = \pm \frac{4x}{3}\sqrt{(1 - \frac{9}{x^2})}$ 







First consider the 'right branch' of this hyperbola.



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First consider the 'right branch' of this hyperbola. As you move to the right,



First consider the 'right branch' of this hyperbola. As you move to the right, the value of x increases



First consider the 'right branch' of this hyperbola. As you move to the right, the value of x increases and the value of x<sup>2</sup> increases.



First consider the 'right branch' of this hyperbola. As you move to the right, the value of x increases and the value of  $x^2$  increases. The value of the fraction  $\frac{9}{x^2}$  gets closer to 0



First consider the 'right branch' of this hyperbola. As you move to the right, the value of x increases and the value of  $x^2$  increases. The value of the fraction  $\frac{9}{x^2}$  gets closer to 0 and the value of y approaches the value of  $\pm \frac{4x}{3}$ !



First consider the 'right branch' of this hyperbola. As you move to the right, the value of x increases and the value of  $x^2$  increases. The value of the fraction  $\frac{9}{x^2}$  gets closer to 0 and the value of y approaches the value of  $\pm \frac{4x}{3}$ ! Here are the graphs of the equations y = (4/3)x

## If P(x, y) represents <u>any point on the</u> hyperbola, then

$$\frac{x^2}{9} - \frac{y^2}{16} = 1$$

**Standard Form Equation** 

$$y = \pm \frac{4x}{3} \sqrt{(1-\frac{9}{x^2})}$$

First consider the 'right branch' of this hyperbola. As you move to the right, the value of x increases and the value of x<sup>2</sup> increases. The value of the fraction  $\frac{9}{x^2}$  gets closer to 0 and the value of y approaches the value of  $\pm \frac{4x}{3}$ ! Here are the graphs of the equations y = (4/3)x and y = (-4/3)x.



#### If P(x, y) represents <u>any point on the</u> hyperbola, then

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# Equations of a Hyperbola If P(x, y) represents any point on the hyperbola, then $\frac{x^2}{9} - \frac{y^2}{16} = 1$ Standard Form Equation $y = \pm \frac{4x}{3} \sqrt{(1 - \frac{9}{x^2})}$

### If P(x, y) represents <u>any point on the</u> hyperbola, then

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#### Next consider the 'left branch' of this hyperbola.





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Next consider the 'left branch' of **F** this hyperbola. As you move to the left, the value of x decreases, but the value of x<sup>2</sup> increases!



Next consider the 'left branch' of this hyperbola. As you move to the left, the value of x decreases, but the value of  $x^2$  increases! Again, the value of the fraction  $\frac{9}{x^2}$  gets closer to 0



Next consider the 'left branch' of this hyperbola. As you move to the left, the value of x decreases, but the value of  $x^2$  increases! Again, the value of the fraction  $\frac{9}{x^2}$  gets closer to 0 and the value of y approaches the value of  $\pm \frac{4x}{3}$ !

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

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**Standard Form Equation** 

The line y = (4/3)x and the line y = (-4/3)x are called asymptotes of the curve.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

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The line y = (4/3)x and the line y = (-4/3)x are called asymptotes of the curve. In each case, as the value of |x| increases,



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The line y = (4/3)x and the line y = (-4/3)x are called asymptotes of the curve. In each case, as the value of |x| increases, points on the curve get closer to the lines.



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The line y = (4/3)x and the line y = (-4/3)x are called asymptotes of the curve. In each case, as the value of |x| increases, points on the curve get closer to the lines. The asymptotes can easily be determined from the standard form equation



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

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The line y = (4/3)x and the line y = (-4/3)x are called asymptotes of the curve. In each case, as the value of |x| increases, points on the curve get closer to the lines. The asymptotes can easily be determined from the standard form equation and can be used as a graphing aid.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

The line y = (4/3)x and the line y = (-4/3)x are called asymptotes of the curve. In each case, as the value of |x| increases, points on the curve get closer to the lines. The asymptotes can easily be determined from the standard form equation and can be used as a graphing aid. Let's see how.





# If P(x, y) represents <u>any point on the</u> hyperbola, then

$$\frac{x^2}{9} - \frac{y^2}{16} = 1$$

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line,



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.

$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

This is the standard form equation for a type 1 hyperbola with center at (h, k).

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

This is the standard form equation for a type 1 hyperbola with center at (h, k). In this particular example, the center is the origin, so h = 0 and k = 0.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.

$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

As we have said previously,

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

As we have said previously, the transverse axis

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.

$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

As we have said previously, the transverse axis is the horizontal line segment through

the center



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

As we have said previously, the transverse axis is the horizontal line segment through

the center with each endpoint on the hyperbola.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

As we have said previously, the transverse axis is the horizontal line segment through

the center with each endpoint on the hyperbola. The length of the transverse axis is represented by 2a.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

As we have said previously, the transverse axis is the horizontal line segment through

the center with each endpoint on the hyperbola. The length of the transverse axis is represented by 2a. In this case, 2a = 6,

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

As we have said previously, the transverse axis is the horizontal line segment through

the center with each endpoint on the hyperbola. The length of the transverse axis is represented by 2a. In this case, 2a = 6, so a = 3.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

As we have said previously, the transverse axis is the horizontal line segment through

the center with each endpoint on the hyperbola. The length of the transverse axis is represented by 2a. In this case, 2a = 6, so a = 3.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.

$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

Hyperbolas have a second axis,

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

Hyperbolas have a second axis, called the <u>conjugate axis</u>.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.

$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

Hyperbolas have a second axis, called the <u>conjugate axis</u>. This axis is goes through

the center,



If P(x, y) represents <u>any point on the</u> hyperbola, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ Hyperbolas have a second axis, called the conjugate axis. This axis is goes through

the center, is perpendicular to the transverse axis,

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ Hyperbolas have a second axis, called the conjugate axis. This axis is goes through the center, is perpendicular to the transverse axis, and is 2b units

the center, is perpendicular to the transverse axis, and is 2b unit long.

If P(x, y) represents <u>any point on the</u> hyperbola, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ Hyperbolas have a second axis, called the conjugate axis. This axis is goes through

the center, is perpendicular to the transverse axis, and is 2b units long. In this example,

If P(x, y) represents <u>any point on the</u> hyperbola, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ Hyperbolas have a second axis, called the conjugate axis. This axis is goes through

the center, is perpendicular to the transverse axis, and is 2b units long. In this example,  $b^2 = 16$ ,
If P(x, y) represents <u>any point on the</u> hyperbola, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ Hyperbolas have a second axis, called the conjugate axis. This axis is goes through

the center, is perpendicular to the transverse axis, and is 2b units long. In this example,  $b^2 = 16$ , so b = 4

If P(x, y) represents <u>any point on the</u> hyperbola, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ Hyperbolas have a second axis, called the conjugate axis. This axis is goes through

the center, is perpendicular to the transverse axis, and is 2b units long. In this example,  $b^2 = 16$ , so b = 4 and 2b = 8.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.

$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.

$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

This rectangle is very useful when graphing hyperbolas.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ This rectangle is very useful when graphing hyperbolas. The 'center' of the rectangle is the same point as the center of the hyperbola.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ This rectangle is very useful when graphing hyperbolas. The 'center' of the rectangle is the same point as the center of the hyperbola. Its width is 2a,

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ This rectangle is very useful when graphing hyperbolas. The 'center' of the rectangle is the same point as the center of the hyperbola. Its width is 2a, the length of the transverse axis.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} \cdot \frac{(y-k)^2}{b^2} = 1$ This rectangle is very useful when graphing hyperbolas. The 'center' of the rectangle is the same point as the center of the hyperbola. Its width is 2a, the length of the transverse axis. Its length is 2b,

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



 $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ This rectangle is very useful when graphing hyperbolas. The 'center' of the rectangle is the same point as the center of the hyperbola. Its width is 2a, the length of the transverse axis. Its length is 2b, the length of the conjugate axis.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.

$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

Most importantly,

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

Most importantly, the diagonals of this rectangle can be used to draw in the two

lines that are the asymptotes of the hyperbola.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

Most importantly, the diagonals of this rectangle can be used to draw in the two

lines that are the asymptotes of the hyperbola. They determine the 'shape' of the hyperbola

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

This is an example of a 'type 1' hyperbola. The foci are on a horizontal line, c units from the center. In this case, c = 5.



$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

Most importantly, the diagonals of this rectangle can be used to draw in the two

lines that are the asymptotes of the hyperbola. They determine the 'shape' of the hyperbola which helps when graphing.

# Equations of a Hyperbola If P(x, y) represents any point on the hyperbola, then $\frac{x^2}{9} - \frac{y^2}{16} = 1$ Standard Form Equation

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c. The transverse axis is 2a units long.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c. The transverse axis is 2a units long. This distance is a.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c. The transverse axis is 2a units long. This distance is a.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c. The transverse axis is 2a



units long. This distance is a. The conjugate axis is 2b units long.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances

a, b, and c. The transverse axis is 2a

units long. This distance is a. The conjugate axis is 2b units long. So this distance is b.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances

a, b, and c. The transverse axis is 2a

units long. This distance is a. The conjugate axis is 2b units long. So this distance is b.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances

a, b, and c. The transverse axis is 2a



units long. This distance is a. The conjugate axis is 2b units long. So this distance is b. Consider this right triangle.

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c. The transverse axis is 2a

units long. This distance is a. The conjugate axis is 2b units long. So this distance is b. Consider this right triangle. Since a = 3 and b = 4,

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances

a, b, and c. The transverse axis is 2a units long. This distance is a The conjugate a

units long. This distance is a. The conjugate axis is 2b units long. So this distance is b. Consider this right triangle. Since a = 3and b = 4, using the Pythagorean Theorem,



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c. The transverse axis is 2a



units long. This distance is a. The conjugate axis is 2b units long. So this distance is b. Consider this right triangle. Since a = 3and b = 4, using the Pythagorean Theorem, the length of the hypotenuse is  $\sqrt{a^2 + b^2}$ 

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c. The transverse axis is 2a



units long. This distance is a. The conjugate axis is 2b units long. So this distance is b. Consider this right triangle. Since a = 3and b = 4, using the Pythagorean Theorem, the length of the hypotenuse is  $\sqrt{a^2 + b^2} = \sqrt{3^2 + 4^2}$ 

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c. The transverse axis is 2a



units long. This distance is a. The conjugate axis is 2b units long. So this distance is b. Consider this right triangle. Since a = 3and b = 4, using the Pythagorean Theorem, the length of the hypotenuse is  $\sqrt{a^2 + b^2} = \sqrt{3^2 + 4^2} = 5$ ,

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c. The transverse axis is 2a



units long. This distance is a. The conjugate axis is 2b units long. So this distance is b. Consider this right triangle. Since a = 3and b = 4, using the Pythagorean Theorem, the length of the hypotenuse is  $\sqrt{a^2 + b^2} = \sqrt{3^2 + 4^2} = 5$ , which is equal to c,

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c. The transverse axis is 2a



units long. This distance is a. The conjugate axis is 2b units long. So this distance is b. Consider this right triangle. Since a = 3and b = 4, using the Pythagorean Theorem, the length of the hypotenuse is  $\sqrt{a^2 + b^2} = \sqrt{3^2 + 4^2} = 5$ , which is equal to c, the distance from the center of the hyperbola to each focus !!

If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c.



If P(x, y) represents <u>any point on the</u> <u>hyperbola</u>, then

 $\frac{x^2}{9} - \frac{y^2}{16} = 1$ 

**Standard Form Equation** 

There is one more relationship to consider in this lesson. That is the relationship between the distances a, b, and c.  $c^2 = a^2 + b^2$ 



#### **Type 1 Transverse Axis Horizontal**



#### Type 1 **Transverse Axis Horizontal**



**Transverse** Axis 2a units long
#### **Type 1 Transverse Axis Horizontal**



#### **Type 1 Transverse Axis Horizontal**



#### **Type 1 Transverse Axis Horizontal**



Standard Form Equation  $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ 

#### **Type 1 Transverse Axis Horizontal**



Standard Form Equation  $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$ 

#### **Type 2 Transverse Axis Vertical**



















$$\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$$

#### **Type 2 Transverse Axis Vertical**



#### **Type 1 Transverse Axis Horizontal**





Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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This a type 1 Hyperbola.



Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

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> Standard Form Equation  $(x - h)^2 (y - k)^2$

$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

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> Standard Form Equation  $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$

**The center** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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> Standard Form Equation  $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$

The center is the point (4, -3).

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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> Standard Form Equation  $\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$

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**h** = 4

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 $2\mathbf{b} = \mathbf{8}$ 

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 $\frac{(x-4)^2}{2^2} - \frac{(y--3)^2}{2}$ 

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**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

General Form Equation  $Ax^2 + Cy^2 + Dx + Ey + F = 0$ AC < 0

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

Clear the fractions. Multiply both sides by 16.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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> Standard Form Equation  $(x-4)^2 (y+3)^2$

$$\frac{(x-4)}{4} - \frac{(y+3)}{16} = 1$$

4(

Clear the fractions. Multiply both sides by 16.

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$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

 $4(x-4)^2$ 

Clear the fractions. Multiply both sides by 16.

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 $4(x-4)^2 - 1($ 

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**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

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Standard Form Equation

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**Square the binomials** 

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4(

**Square the binomials** 

General Form Equation  $Ax^2 + Cy^2 + Dx + Ey + F = 0$ AC < 0

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Standard Form Equation  $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$   $4(x-4)^2 - 1(y+3)^2 = 16$   $4(x^2)$ 

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Standard Form Equation  $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$   $4(x-4)^2 - 1(y+3)^2 = 16$   $4(x^2 - 8x)$ 

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**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$
  
$$(x^{2} - 8x + 16)$$

**Square the binomials** 

General Form Equation  $Ax^2 + Cy^2 + Dx + Ey + F = 0$ AC < 0

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^2 - 1(y+3)^2 = 16$$
  
(x<sup>2</sup> - 8x + 16) - 1(

**Square the binomials** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^2 - 1(y+3)^2 = 16$$
  
(x<sup>2</sup> - 8x + 16) - 1(

**Square the binomials** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^2 - 1(y+3)^2 = 16$$
  
(x<sup>2</sup> - 8x + 16) - 1(y<sup>2</sup>)

**Square the binomials** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^2 - 1(y+3)^2 = 16$$
$$4(x^2 - 8x + 16) - 1(y^2 + 6y)$$

**Square the binomials** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

> Standard Form Equation  $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$   $4(x-4)^2 - 1(y+3)^2 = 16$

$$4(x^2 - 8x + 16) - 1(y^2 + 6y + 9)$$

**Square the binomials** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^2 - 1(y+3)^2 = 16$$
  
$$4(x^2 - 8x + 16) - 1(y^2 + 6y + 9) =$$

**Square the binomials** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

 $4(x-4)^2 - 1(y+3)^2 = 16$  $4(x^2 - 8x + 16) - 1(y^2 + 6y + 9) = 16$ 

**Square the binomials** 

General Form Equation  $Ax^2 + Cy^2 + Dx + Ey + F = 0$ AC < 0
Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^2 - 1(y+3)^2 = 16$$
  
$$4(x^2 - 8x + 16) - 1(y^2 + 6y + 9) = 16$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^2 - 1(y+3)^2 = 16$$
  
$$4(x^2 - 8x + 16) - 1(y^2 + 6y + 9) = 16$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^2 - 1(y+3)^2 = 16$$
  
$$4(x^2 - 8x + 16) - 1(y^2 + 6y + 9) = 16$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2}$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

 $4(x-4)^2 - 1(y+3)^2 = 16$   $4(x^2 - 8x + 16) - 1(y^2 + 6y + 9) = 16$ 

 $4x^2 - 32x$ 

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64 - 1y^{2}$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64 - 1y^{2} - 6y$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$
  

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$
  

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 =$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$
  
$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$
  
$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$
  
$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$
  
$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$

**Rearrange and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$
  

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$
  

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$
  

$$4x^{2}$$

**Rearrange and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$
  

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$
  

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$
  

$$4x^{2} - 1y^{2}$$

**Rearrange and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$
  

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$
  

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$
  

$$4x^{2} - 1y^{2} - 32x$$

**Rearrange and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$
  

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$
  

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$
  

$$4x^{2} - 1y^{2} - 32x - 6y$$

**Rearrange and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$

$$4x^{2} - 1y^{2} - 32x - 6y$$

**Rearrange and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$

$$4x^{2} - 1y^{2} - 32x - 6y + 55$$

**Rearrange and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$

$$4x^{2} - 1y^{2} - 32x - 6y + 55 =$$

**Rearrange and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$

$$4x^{2} - 1y^{2} - 32x - 6y + 55 = 16$$

**Rearrange and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

Standard Form Equation  $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$   $4(x-4)^2 - 1(y+3)^2 = 16$   $4(x^2 - 8x + 16) - 1(y^2 + 6y + 9) = 16$   $4x^2 - 32x + 64 - 1y^2 - 6y - 9 = 16$   $4x^2 - 1y^2 - 32x - 6y + 55 = 16$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

> Standard Form Equation  $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$   $4(x-4)^2 - 1(y+3)^2 = 16$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$
  

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$
  

$$4x^{2} - 1y^{2} - 32x - 6y + 55 = 16$$

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$

$$4x^{2} - 1y^{2} - 32x - 6y + 55 = 16$$

$$4x^{2}$$

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$

$$4x^{2} - 1y^{2} - 32x - 6y + 55 = 16$$

$$4x^{2} - 1y^{2}$$

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

> Standard Form Equation  $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$

$$4(x-4)^{2} - 1(y+3)^{2} = 16$$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$

$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$

$$4x^{2} - 1y^{2} - 32x - 6y + 55 = 16$$

$$4x^{2} - 1y^{2} - 32x$$

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

Standard Form Equation $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$ 

 $4(x-4)^{2} - 1(y+3)^{2} = 16$   $4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$   $4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$   $4x^{2} - 1y^{2} - 32x - 6y + 55 = 16$   $4x^{2} - 1y^{2} - 32x - 6y$ 

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

Standard Form Equation $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$ 

 $4(x-4)^{2} - 1(y+3)^{2} = 16$   $4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$   $4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$   $4x^{2} - 1y^{2} - 32x - 6y + 55 = 16$   $4x^{2} - 1y^{2} - 32x - 6y + 39$ 

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

> Standard Form Equation  $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$

 $4(x-4)^{2} - 1(y+3)^{2} = 16$   $4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$   $4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$   $4x^{2} - 1y^{2} - 32x - 6y + 55 = 16$   $4x^{2} - 1y^{2} - 32x - 6y + 39 = 16$ 

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

> Standard Form Equation  $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$   $4(x-4)^2 - 1(y+3)^2 = 16$

$$4(x^{2} - 8x + 16) - 1(y^{2} + 6y + 9) = 16$$
$$4x^{2} - 32x + 64 - 1y^{2} - 6y - 9 = 16$$

$$4x^2 - 1y^2 - 32x - 6y + 55 = 16$$

$$4x^2 - 1y^2 - 32x - 6y + 39 = 0$$

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

Standard Form Equation  $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$   $4(x-4)^2 - 1(y+3)^2 = 16$   $4(x^2 - 8x + 16) - 1(y^2 + 6y + 9) = 16$   $4x^2 - 32x + 64 - 1y^2 - 6y - 9 = 16$   $4x^2 - 1y^2 - 32x - 6y + 55 = 16$   $4x^2 - 1y^2 - 32x - 6y + 39 = 0$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Each focus is c units from the center

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Each focus is c units from the center where

 $c^2 =$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Each focus is c units from the center where

$$\mathbf{c}^2 = \mathbf{a}^2$$
Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$\mathbf{c}^2 = \mathbf{a}^2 + \mathbf{c}^2 + \mathbf$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$\mathbf{c}^2 = \mathbf{a}^2 + \mathbf{b}^2$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$\mathbf{c}^2 = \mathbf{a}^2 + \mathbf{b}^2$$

$$a^2 =$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Each focus is c units from the center where

**b**<sup>2</sup>

$$c^2 = a^2 + a^2 = 4$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$c^2 = a^2 + b^2$$
  
 $a^2 = 4$  and

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$c^2 = a^2 + b^2$$
  
 $a^2 = 4$  and  $b^2 = 1$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Each focus is c units from the center where

 $c^2 = a^2 + b^2$  $a^2 = 4$  and  $b^2 = 16$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} =$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

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$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4$ 

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$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + b^{2}$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

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$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + 16$ 

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 $a^{2} = 4$  and  $b^{2} = 16$   
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**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + 16 = 20$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + 16 = 20$   
 $c =$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + 16 = 20$   
 $c = \sqrt{20}$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$c^{2} = a^{2} + b^{2}$$

$$a^{2} = 4 \quad \text{and} \quad b^{2} = 16$$

$$c^{2} = 4 + 16 = 20$$

$$c = \sqrt{20} \approx$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + 16 = 20$   
 $c = \sqrt{20} \approx 4.5$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Each focus is c units from the center where

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + 16 = 20$   
 $c = \sqrt{20} \approx 4.5$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Each focus is c units from the center where

The center of this hyperbola is (4, -3).

**F**<sub>1</sub> is c units left of the center.

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + 16 = 20$   
 $c = \sqrt{20} \approx 4.5$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Each focus is c units from the center where

The center of this hyperbola is (4, -3).

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 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + 16 = 20$   
 $c = \sqrt{20} \approx 4.5$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 1 Hyperbola. (The transverse axis is horizontal.)

**Standard Form Equation** 

$$\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$$

**General Form Equation** 

$$4x^2 - y^2 - 32x - 6y + 39 = 0$$

Each focus is c units from the center where

- **F**<sub>1</sub> is c units left of the center.
- **F**<sub>2</sub> is c units right of the center.

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + 16 = 20$   
 $c = \sqrt{20} \approx 4.5$ 

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This a type 1 Hyperbola. (The transverse axis is horizontal.)

Standard Form Equation $\frac{(x-4)^2}{4} - \frac{(y+3)^2}{16} = 1$ 

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Each focus is c units from the center where

- **F**<sub>1</sub> is c units left of the center.
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$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 4$  and  $b^{2} = 16$   
 $c^{2} = 4 + 16 = 20$   
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Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .

This a type 2 Hyperbola.



Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)



The center is the point (5, 1).

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)



The center is the point (5, 1).

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)



The center is the point (5, 1).

h = 5 and

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)



The center is the point (5, 1).

h = 5 and k = 1

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

2a = 8

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies$
Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

$$2a = 8 \implies a = 4$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

 $2\mathbf{b} = \mathbf{8}$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

 $2b = 8 \implies$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

 $2b = 8 \implies b = 4$ 

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The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

 $2\mathbf{b} = \mathbf{8} \implies \mathbf{b} = \mathbf{4}$ 

 $(y-1)^2$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

$$2\mathbf{b} = \mathbf{8} \implies \mathbf{b} = \mathbf{4}$$

 $\frac{(y-1)^2}{4^2}$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

$$2b = 8 \implies b = 4$$

 $\frac{(y-1)^2}{4^2}$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

$$2\mathbf{b} = \mathbf{8} \implies \mathbf{b} = \mathbf{4}$$

 $\frac{(y-1)^2}{4^2}$  (x - 5)<sup>2</sup>

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

$$2\mathbf{b} = \mathbf{8} \implies \mathbf{b} = \mathbf{4}$$

$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2}$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

$$2\mathbf{b} = \mathbf{8} \implies \mathbf{b} = \mathbf{4}$$

$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2} =$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

$$2\mathbf{b} = \mathbf{8} \implies \mathbf{b} = \mathbf{4}$$

$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2} =$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

$$2\mathbf{b} = \mathbf{8} \implies \mathbf{b} = \mathbf{4}$$

$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2} = 1 \implies$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

$$2b = 8 \implies b = 4$$
$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2} = 1 \implies \frac{(y-1)^2}{4^2}$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

$$2b = 8 \implies b = 4$$
$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2} = 1 \implies \frac{(y-1)^2}{16}$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

$$2b = 8 \implies b = 4$$
$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2} = 1 \implies \frac{(y-1)^2}{16} - \frac{(y-1)^2}{16} = 1$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

 $2a = 8 \implies a = 4$ 

The conjugate axis is 8 units long.

16

$$2b = 8 \implies b = 4$$
  
 $(x-1)^2 - (x-5)^2 = 1 \implies (y-1)^2 - (x-5)^2$ 

**Standard Form Equation** 

**4**<sup>2</sup>

 $\Lambda^2$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

$$2a = 8 \implies a = 4$$

The conjugate axis is 8 units long.

$$2b = 8 \implies b = 4$$

$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2} = 1 \implies \frac{(y-1)^2}{16} - \frac{(x-5)^2}{16}$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

$$2a = 8 \implies a = 4$$

The conjugate axis is 8 units long.

$$2b = 8 \implies b = 4$$
$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2} = 1 \implies \frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

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h = 5 and k = 1

The transverse axis is 8 units long.

$$2a = 8 \implies a = 4$$

The conjugate axis is 8 units long.

$$2b = 8 \implies b = 4$$
  
$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2} = 1 \implies \frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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> Standard Form Equation  $\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$

The center is the point (5, 1).

h = 5 and k = 1

The transverse axis is 8 units long.

$$2a = 8 \implies a = 4$$

The conjugate axis is 8 units long.

$$2b = 8 \implies b = 4$$

$$\frac{(y-1)^2}{4^2} - \frac{(x-5)^2}{4^2} = 1 \implies \frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

General Form Equation Ax<sup>2</sup> + Cy<sup>2</sup> + Dx + Ey + F = 0 AC < 0

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

> Multiply both sides by 16.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

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Multiply both sides by 16.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^2$ 

Multiply both sides by 16.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^2-$ 

Multiply both sides by 16.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^2 - 1($ 

Multiply both sides by 16.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^2 - 1(x-5)^2$ 

Multiply both sides by 16.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^2 - 1(x-5)^2 =$ 

Multiply both sides by 16.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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 $1(y-1)^2 - 1(x-5)^2 = 16$ 

Multiply both sides by 16.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^2 - 1(x-5)^2 = 16$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^2 - 1(x-5)^2 = 16$$

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^2 - 1(x-5)^2 = 16$$

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Square the binomials.

General Form Equation Ax<sup>2</sup> + Cy<sup>2</sup> + Dx + Ey + F = 0 AC < 0
Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^2 - 1(x-5)^2 = 16$$

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Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^2 - 1(x-5)^2 = 16$$

 $1(y^2)$ 

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$\frac{1(y-1)^2 - 1(x-5)^2 = 16}{2}$$

 $1(y^2 - 2y)$ 

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$\frac{1(y-1)^2 - 1(x-5)^2 = 16}{1(y^2 - 2y + 1)}$$

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^2 - 1(x-5)^2 = 16$$

$$1(y^2 - 2y + 1) -$$

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^2 - 1(x-5)^2 = 16$$
$$1(y^2 - 2y + 1) - 1($$

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .

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This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$\frac{1(y-1)^2 - 1(x-5)^2}{y^2 - 2y + 1) - 1(y-1)^2} = 16$$

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .

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This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$\frac{1(y-1)^2 - 1(x-5)^2}{(y^2 - 2y + 1) - 1(x^2)} = 16$$

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$\frac{1(y-1)^2 - 1(x-5)^2}{1(y^2 - 2y + 1) - 1(x^2 - 10x)} = 16$$

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$\frac{1(y-1)^2 - 1(x-5)^2}{1(y^2 - 2y + 1) - 1(x^2 - 10x + 25)}$$

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^2 - 1(x-5)^2 = 16$ 

$$1(y^2 - 2y + 1) - 1(x^2 - 10x + 25) =$$

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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 $1(y-1)^2 - 1(x-5)^2 = 16$ 

$$1(y^2 - 2y + 1) - 1(x^2 - 10x + 25) = 16$$

Square the binomials.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^2 - 1(x-5)^2 = 16$$
  
1(y<sup>2</sup> - 2y + 1) - 1(x<sup>2</sup> - 10x + 25) = 16

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^2 - 1(x-5)^2 = 16$$
  
1(y<sup>2</sup> - 2y + 1) - 1(x<sup>2</sup> - 10x + 25) = 16

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$\frac{1(y-1)^2 - 1(x-5)^2 = 16}{1(y^2 - 2y + 1) - 1(x^2 - 10x + 25) = 16}$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $\frac{1(y-1)^2 - 1(x-5)^2 = 16}{1(y^2 - 2y + 1) - 1(x^2 - 10x + 25) = 16}$  $\frac{1y^2}{1}$ 

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^{2} - 1(x-5)^{2} = 16$  $1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$  $1y^{2} - 2y$ 

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^{2} - 1(x-5)^{2} = 16$   $1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$   $1y^{2} - 2y + 1$ 

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $\frac{1(y-1)^2 - 1(x-5)^2 = 16}{1(y^2 - 2y + 1) - 1(x^2 - 10x + 25)} = 16$  $\frac{1y^2 - 2y + 1}{1(x^2 - 10x + 25)} = 16$ 

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  
$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  
$$1y^{2} - 2y + 1 - 1x^{2}$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  
$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  
$$1y^{2} - 2y + 1 - 1x^{2} + 10x$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $\frac{1(y-1)^2 - 1(x-5)^2 = 16}{1(y^2 - 2y + 1) - 1(x^2 - 10x + 25)} = 16$  $\frac{1y^2 - 2y + 1 - 1x^2 + 10x - 25}{1y^2 - 2y + 1 - 1x^2 + 10x - 25}$ 

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^{2} - 1(x-5)^{2} = 16$   $1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$  $1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 =$ 

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  
$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  
$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$

Perform the indicated multiplication.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  
$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  
$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  

$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  

$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$

**Reorder and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  

$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  

$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$
  

$$-1x^{2}$$

**Reorder and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  

$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  

$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$
  

$$-1x^{2} + 1y^{2}$$

**Reorder and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> **Standard Form Equation**  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  

$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  

$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$
  

$$-1x^{2} + 1y^{2} + 10x$$

**Reorder and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  

$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  

$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$
  

$$-1x^{2} + 1y^{2} + 10x - 2y$$

**Reorder and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  

$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  

$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$
  

$$-1x^{2} + 1y^{2} + 10x - 2y - 24$$

**Reorder and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$

$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$

$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$

$$-1x^{2} + 1y^{2} + 10x - 2y - 24 =$$

**Reorder and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$
  

$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$
  

$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$
  

$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$

**Reorder and combine like terms.** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

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$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$

$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

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$$1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$$

$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$

$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

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$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$

$$-1x^{2}$$

Subtract 16 from both sides.
Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

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$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$
  

$$-1x^{2} + 1y^{2}$$

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

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$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$

$$-1x^{2} + 1y^{2} + 10x$$

Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^{2} - 1(x-5)^{2} = 16$   $1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$   $1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$   $-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$   $-1x^{2} + 1y^{2} + 10x - 2y$ Subtract 16 from both sides.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

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Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

 $1(y-1)^{2} - 1(x-5)^{2} = 16$   $1(y^{2} - 2y + 1) - 1(x^{2} - 10x + 25) = 16$   $1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$   $-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$   $-1x^{2} + 1y^{2} + 10x - 2y - 40 =$ Subtract 16 from both sides.

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Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

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$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$

$$-1x^{2} + 1y^{2} + 10x - 2y - 40 = 0$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$

$$-1x^{2} + 1y^{2} + 10x - 2y - 40 = 0$$

Although this equation is correct, it is more common to start off with a positive coefficient.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

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$$-1x^{2} + 1y^{2} + 10x - 2y - 40 = 0$$

Although this equation is correct, it is more common to start off with a positive coefficient.

Multiply both sides by -1.

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



Although this equation is correct, it is more common to start off with a positive coefficient.

Multiply both sides by -1.

This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

$$1(y-1)^{2} - 1(x-5)^{2} = 16$$

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$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$

$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$

$$-1x^{2} + 1y^{2} + 10x - 2y - 40 = 0$$

$$1x^{2}$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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$$1y^{2} - 2y + 1 - 1x^{2} + 10x - 25 = 16$$

$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$

$$-1x^{2} + 1y^{2} + 10x - 2y - 40 = 0$$

$$1x^{2} - 1y^{2}$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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Multiply both sides by -1.

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$$-1x^{2} + 1y^{2} + 10x - 2y - 40 = 0$$

$$1x^{2} - 1y^{2} - 10x$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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$$-1x^{2} + 1y^{2} + 10x - 2y - 40 = 0$$
  

$$1x^{2} - 1y^{2} - 10x + 2y$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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$$-1x^{2} + 1y^{2} + 10x - 2y - 40 = 0$$
  

$$1x^{2} - 1y^{2} - 10x + 2y + 40 = 0$$

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$$-1x^{2} + 1y^{2} + 10x - 2y - 24 = 16$$
  

$$-1x^{2} + 1y^{2} + 10x - 2y - 40 = 0$$
  

$$1x^{2} - 1y^{2} - 10x + 2y + 40 = 0$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

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Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



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This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Each focus is c units from the center where

 $\mathbf{c}^2 = \mathbf{a}^2 + \mathbf{b}^2$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

$$\mathbf{c}^2 = \mathbf{a}^2 + \mathbf{b}^2$$

$$a^2 =$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Each focus is c units from the center where

$$\mathbf{c}^2 = \mathbf{a}^2 + \mathbf{b}^2$$

 $a^2 = 16$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Each focus is c units from the center where

$$c^2 = a^2 + b^2$$
  
 $c^2 = 16$  and

**a** 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Each focus is c units from the center where

 $c^2 = a^2 + b^2$  $a^2 = 16$  and  $b^2 =$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> **Standard Form Equation**  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Each focus is c units from the center where

 $c^2 = a^2 + b^2$  $a^2 = 16$  and  $b^2 = 16$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Each focus is c units from the center where

 $c^{2} = a^{2} + b^{2}$  $a^{2} = 16$  and  $b^{2} = 16$  $c^{2} =$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 16$  and  $b^{2} = 16$   
 $c^{2} = 16$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 16$  and  $b^{2} = 16$   
 $c^{2} = 16 + b^{2}$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

$$c^2 = a^2 + b^2$$
  
 $a^2 = 16$  and  $b^2 = 16$   
 $c^2 = 16 + 16$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Each focus is c units from the center where

 $c^2 = a^2 + b^2$  $a^2 = 16$  and  $b^2 = 16$  $c^2 = 16 + 16 =$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Each focus is c units from the center where

 $c^2 = a^2 + b^2$  $a^2 = 16$  and  $b^2 = 16$  $c^2 = 16 + 16 = 32$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 16$  and  $b^{2} = 16$   
 $c^{2} = 16 + 16 = 32$   
 $c = 16 + 16 = 32$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 16$  and  $b^{2} = 16$   
 $c^{2} = 16 + 16 = 32$   
 $c = \sqrt{32}$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

$$c^{2} = a^{2} + b^{2}$$

$$a^{2} = 16 \quad \text{and} \quad b^{2} = 16$$

$$c^{2} = 16 + 16 = 32$$

$$c = \sqrt{32} \approx$$

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 16$  and  $b^{2} = 16$   
 $c^{2} = 16 + 16 = 32$   
 $c = \sqrt{32} \approx 5.7$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

$$c^{2} = a^{2} + b^{2}$$
  
 $a^{2} = 16$  and  $b^{2} = 16$   
 $c^{2} = 16 + 16 = 32$   
 $c = \sqrt{32} \approx 5.7$
Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



The center of this hyperbola is (5, 1).

**Standard Form Equation**  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$ 

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Each focus is c units from the center where

 $c^2 = a^2 + b^2$ 

$$a^{2} = 16$$
 and  $b^{2} = 16$   
 $c^{2} = 16 + 16 = 32$   
 $c = \sqrt{32} \approx 5.7$ 

Write the equation in standard form and the equation in general form for each hyperbola. Then locate and label the foci  $F_1$  and  $F_2$ .



This a type 2 Hyperbola. (The transverse axis is vertical.)

> Standard Form Equation  $\frac{(y-1)^2}{16} - \frac{(x-5)^2}{16} = 1$

**General Form Equation** 

$$x^2 - y^2 - 10x + 2y + 40 = 0$$

Each focus is c units from the center where

The center of this hyperbola is (5, 1).

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$$Ax^{2} + Cy^{2} + Dx + Ey + F = 0$$
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Rearrange the terms in the equation. (Add 463 to each side.)

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 $9(x^2 + 100) = 9(x^2 + 100)$ 



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 $9(x + 3)^2 - 16(y - 5)^2 = 144$ 

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**Divide both sides by 144.** 

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 $\frac{9(x + 3)^{2}}{144} - \frac{16(y - 5)^{2}}{144} = \frac{144}{144}$   
 $\frac{(x + 3)^{2}}{16}$ 

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 $9(x^2 + 6x + 9) - 16(y^2 - 10y + 25) = 463 + 81 - 400$   
 $\frac{9(x + 3)^2}{144} - \frac{16(y - 5)^2}{144} = \frac{144}{144}$   
 $\frac{(x + 3)^2}{16} - \frac{(y - 5)^2}{9} = 1$
Express each equation using 'standard form' and sketch a graph.

3. 
$$9x^{2} - 16y^{2} + 54x + 160y - 463 = 0$$
  
 $9x^{2} + 54x - 16y^{2} + 160y = 463$   
 $9(x^{2} + 6x) - 16(y^{2} - 10y) = 463$   
 $9(x^{2} + 6x + 9) - 16(y^{2} - 10y + 25) = 463 + 81 - 400$   
 $\frac{9(x + 3)^{2}}{144} - \frac{16(y - 5)^{2}}{144} = \frac{144}{144}$   
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$$\frac{(x-h)^2}{a^2} - \frac{(y-k)^2}{b^2} = 1$$

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h = -3 and k = 5

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**a**<sup>2</sup>



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h = -3 and k = 5  $\implies$  Center: (-3, 5) a<sup>2</sup> = 16



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The transverse axis is 2a = 8 units long.



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The transverse axis is  $2a = 8$  units long.  
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h = -3 and k = 5  $\implies$  Center: (-3, 5)  $a^2 = 16$  and  $b^2 = 9 \implies a = 4$  and b = 3The transverse axis is 2a = 8 units long. The conjugate axis is 2b = 6 units long. Each endpoint of the transverse axis



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The transverse axis is 2a = 8 units long.

The conjugate axis is 2b = 6 units long.

Each endpoint of the transverse axis is a vertex of the hyperbola.



**Express each equation using 'standard form' and sketch a graph.** 

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 $a^2 = 16$  and  $b^2 = 9 \implies a = 4$  and b = 3

The transverse axis is 2a = 8 units long.

The conjugate axis is 2b = 6 units long.

Each endpoint of the transverse axis is a vertex of the hyperbola. The diagonals of this rectangle



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The diagonals of this rectangle determine the asymptotes of the hyperbola.

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Each focus is c units from the center



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where 
$$c^2 = a^2 + b^2$$
.



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Each focus is c units from the center where  $c^2 = a^2 + b^2$ .

 $c^2 = 16 + 9$ 



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Each focus is a units from the center

Each focus is c units from the center where  $c^2 = a^2 + b^2$ .

 $c^2 = 16 + 9 = 25$ 



**Express each equation using 'standard form' and sketch a graph.** 

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$$9x^2 - 16y^2 + 54x + 160y - 463 = 0$$

Standard Form Equation  $\frac{(x+3)^2}{16} - \frac{(y-5)^2}{9} = 1$ 

This a type 1 Hyperbola.

h = -3 and k = 5 
$$\implies$$
 Center: (-3, 5)  
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$$General Form Equation$$
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$$AC < 0$$



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 $\frac{9(x + 2)^{2}}{-144} - \frac{16(y + 1)^{2}}{-144} = -\frac{144}{-144}$   
 $-\frac{1(x + 2)^{2}}{16} + \frac{(y + 1)^{2}}{9}$ 

Express each equation using 'standard form' and sketch a graph.

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$$9x^{2} - 16y^{2} + 36x - 32y + 164 = 0$$
  
 $9x^{2} + 36x - 16y^{2} - 32y = -164$   
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Express each equation using 'standard form' and sketch a graph.

4.  $9x^2 - 16y^2 + 36x - 32y + 164 = 0$ 

Standard Form Equation  $\frac{(y+1)^2}{9} - \frac{(x+2)^2}{16} = 1$ 

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This a type 2 Hyperbola.

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**Standard Form Equation** 

$$\frac{(y-k)^2}{a^2} - \frac{(x-h)^2}{b^2} = 1$$
**Express each equation using 'standard form' and sketch a graph.** 

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This a type 2 Hyperbola.

h = -2

Standard Form Equation  
$$(y - k)^2 (x - h)^2$$

**b**<sup>2</sup>

**a**<sup>2</sup>

**Express each equation using 'standard form' and sketch a graph.** 

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$$9x^2 - 16y^2 + 36x - 32y + 164 = 0$$

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This a type 2 Hyperbola. h = -2 and k = -1  $\implies$  Center:

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The transverse axis is 2a = 6 units long.



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The transverse axis is  $2a = 6$  units long.  
The conjugate axis is  $2b = 8$  units long.



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h = -2 and k = -1  $\implies$  Center: (-2, -1)  $a^2 = 9$  and  $b^2 = 16 \implies a = 3$  and b = 4The transverse axis is 2a = 6 units long. The conjugate axis is 2b = 8 units long. Each endpoint of the transverse axis



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The transverse axis is 2a = 6 units long.

The conjugate axis is 2b = 8 units long.

Each endpoint of the transverse axis is a vertex of the hyperbola.



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The transverse axis is 2a = 6 units long.

The conjugate axis is 2b = 8 units long.

Each endpoint of the transverse axis is a vertex of the hyperbola. The diagonals of this rectangle



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Each endpoint of the transverse axis is a vertex of the hyperbola.

The diagonals of this rectangle determine the asymptotes of the hyperbola.



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Each focus is c units from the center



**Express each equation using 'standard form' and sketch a graph.** 

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 Center: (-2, -1)  
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 Center: (-2, -1)  
a<sup>2</sup> = 9 and b<sup>2</sup> = 16  $\implies$  a = 3 and b = 4

Each focus is c units from the center where  $c^2 = a^2 + b^2$ .

 $c^2 = 9 + 16$ 



**Express each equation using 'standard form' and sketch a graph.** 

4. 
$$9x^2 - 16y^2 + 36x - 32y + 164 = 0$$

Standard Form Equation  $\frac{(y+1)^2}{9} - \frac{(x+2)^2}{16} = 1$ 

This a type 2 Hyperbola.

**h** = -2 and **k** = -1 
$$\implies$$
 Center: (-2, -1)  
**a**<sup>2</sup> = 9 and **b**<sup>2</sup> = 16  $\implies$  **a** = 3 and **b** = 4

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