## Algebra II Review Unit 3 page 1

1. Given relation $\mathrm{A}=\{(-3,4),(-1,4),(0,5),(2,-1)\}$
(a) graph the relation and
(b) complete the mapping diagram for the relation.
(a)
(b)


2. Given relation B graphed below.
(a) describe the relation using the listing method and
(b) complete the mapping diagram for the relation.
(a) $\mathrm{B}=$ $\qquad$

Graph of B

(b)


Domain of B


Range of B

## Algebra II Review Unit 3 page 2

3. Given relaton C defined using a mapping diagram below.
(a) describe the relation using the listing method and
(b) graph the relation.
(a) $\mathrm{C}=$ $\qquad$

(b)


Determine whether or not the relation given in each problem is a function. (Write yes or no.)
$\qquad$ 4. $\mathrm{D}=\{(1,-3),(2,-3),(3,3),(4,3)\}$
$\qquad$ 5. relation E

6. relation F


## Algebra II Review Unit 3 page 3

Given: Function $G=\{(x, y): \mathbf{y}=\mathbf{2 x}-\mathbf{3}\}$. Evaluate each of the following.
7. $\mathrm{G}(3)=$ $\qquad$
8. $\mathrm{G}(0)=$ $\qquad$
9. $G(-4)=$ $\qquad$

Given the function H defined by this graph.
10. What is the domain of H ? $\qquad$
11. What is the range of H ? $\qquad$
Evaluate each of the following.

$$
\text { 12. } \mathrm{H}(3)=
$$

13. $\mathrm{H}(0)=$ $\qquad$
14. $\mathrm{H}(-4)=$ $\qquad$


Bill walks for $\mathbf{3 0}$ seconds at a constant speed of $\mathbf{5}$ feet per second. Let t represent his walking time (in seconds) and $d(t)$ represent the distance he has walked (in feet). Answer each of the following.
15. Write an equation giving $d(t)$ in terms of $t$.
16. What is the domain of function d ?
18. Evaluate d(8). What does d(8) represent in terms of the problem?
17. What is the range of function d ?
19. If $d(t)=80$, then find the value of $t$. Describe what this value of $t$ represents in terms of the problem.

## Algebra II Review Unit 3 page 4

Larry has a part-time job. He can work up to 24 hours a week. He gets paid $\$ 6.00$ per hour. Let t represent the number of hours he works. Let $\mathrm{P}(\mathrm{t})$ represent his total pay.
6. Make a table giving t and $\mathrm{P}(\mathrm{t})$ every 4 hours from $t=0$ to $t=24$.
8. Write an equation giving $\mathrm{P}(\mathrm{t})$ in terms of t .
9. Evaluate $\mathrm{P}(12)$. What does $\mathrm{P}(12)$ represent in terms of the problem?
7. Graph function $P$.

$\qquad$
10. If $P(t)=12$, then find the value of $t$. Describe what this value of $t$ represents in terms of the problem.

## Algebra II Review Unit 3 page 5

Penguin Island is 30 miles due west of Port City. A Ferry sails from Port City to Penguin Island at a constant speed of 12 miles per hour. Let t represent the time in hours that the Ferry has been sailing. Let $\mathrm{D}(\mathrm{t})$ represent the distance in miles that the Ferry is from Penguin Island.
11. Make a table giving $t$ and $D(t)$ every half hour from $t=0$ until the Ferry reaches Penguin Island.
13. Write an equation giving $\mathrm{D}(\mathrm{t})$ in terms of t .
14. Evaluate $\mathrm{D}(1.25)$. What does $\mathrm{D}(1.25)$ represent in terms of the problem?
12. Graph function D.

$\qquad$
15. If $D(t)=6$, then find the value of $t$. Describe what this value of $t$ represents in terms of the problem.

## Algebra II Review Unit 3 page 6

A rectangular water tank is 8 feet long, 6 feet wide, and 5 feet deep. The tank is half-full initially and water is pumped into the tank at 10 cubic feet per minute until the tank is full.
Let $t$ represent the time that water has been pumped into the tank (in minutes). Let $f(t)$ represent the depth of the water in the tank (in inches). Answer each of the following. Show your process neatly organized.
20. How long will it take to fill the tank? $\qquad$
21. Make a table giving $t$ and $f(t)$ every 4 minutes from $\mathrm{t}=0$ until the tank is full.
23. Write an equation giving $f(t)$ in terms of $t$.
24. What is the domain of function f ?
26. Evaluate $f(6)$. What does $f(6)$ represent in terms of the problem?
22. Graph function f .

$\qquad$
25. What is the range of function $f$ ?
27. If $f(t)=55$, then find the value of $t$. Describe what this value of $t$ represents in terms of the problem.

