# Algebra II Lesson #2 Unit 11 Class Worksheet #2 For Worksheets #2 & #3

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

This lesson will introduce and apply the <u>properties of logarithms</u>. Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents.

$$\mathbf{B^k} = \mathbf{N} \implies \log_B \mathbf{N} = \mathbf{k}$$

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

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We know that  $B^0 = 1$ .

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Suppose that x = B<sup>u</sup>

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Suppose that  $x = B^u$  and  $y = B^v$ .

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Suppose that  $x = B^u$  and  $y = B^v$ . Then xy =

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Suppose that  $x = B^u$  and  $y = B^v$ . Then  $xy = (B^u)(B^v)$ 

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Suppose that  $x = B^u$  and  $y = B^v$ . Then  $xy = (B^u)(B^v) = B^{u+v}$ .

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Suppose that x = B<sup>u</sup> and y = B<sup>v</sup>. Then xy = (B<sup>u</sup>)(B<sup>v</sup>) = B<sup>u+v</sup>. Using the definition of logarithms, we can conclude Log<sub>B</sub>x =

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Suppose that  $x = B^u$  and  $y = B^v$ . Then  $xy = (B^u)(B^v) = B^{u+v}$ . Using the definition of logarithms, we can conclude  $Log_B x = u$ ,

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Therefore,

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Therefore,  $Log_B(xy) =$ 

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Therefore,  $Log_B(xy) = Log_B x$ 

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Therefore,  $Log_B(xy) = Log_B x +$ 

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Therefore,  $\text{Log}_{B}(xy) = \text{Log}_{B}x + \text{Log}_{B}y$ .

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**Therefore**,  $\text{Log}_{B}(xy) = \text{Log}_{B}x + \text{Log}_{B}y$ .

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**Therefore**,  $\text{Log}_{B}(xy) = \text{Log}_{B}x + \text{Log}_{B}y$ .

This is called the 'product rule'.

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**The Product Rule:**  $Log_B(xy) = Log_B x + Log_B y$ 

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The Product Rule:  $Log_B(xy) = Log_B x + Log_B y$ Consider the following application of the product rule.

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The Product Rule:  $Log_B(xy) = Log_B x + Log_B y$ Consider the following application of the product rule.  $Log_B(x^2) =$ 

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The Product Rule:  $Log_B(xy) = Log_B x + Log_B y$ Consider the following application of the product rule.  $Log_B(x^2) = Log_B[(x)(x)] =$ 

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The Product Rule:  $Log_B(xy) = Log_B x + Log_B y$ Consider the following application of the product rule.  $Log_B(x^2) = Log_B[(x)(x)] = Log_B x + Log_B x = 2Log_B x$ 

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 $\operatorname{Log}_{B}(x^{2}) = 2\operatorname{Log}_{B}x$ 

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 $Log_B(x^2) = 2Log_B x$   $Log_B(x^3) = Log_B[(x)(x^2)] = Log_B x + Log_B(x^2) =$   $= Log_B x$ 

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 $Log_B(x^2) = 2Log_B x$   $Log_B(x^3) = Log_B[(x)(x^2)] = Log_B x + Log_B(x^2) =$   $= Log_B x + 2Log_B x$ 

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 $Log_B(x^2) = 2Log_B x$   $Log_B(x^3) = Log_B[(x)(x^2)] = Log_B x + Log_B(x^2) =$   $= Log_B x + 2Log_B x =$ 

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 $Log_B(x^2) = 2Log_B x$   $Log_B(x^3) = Log_B[(x)(x^2)] = Log_B x + Log_B(x^2) =$  $= Log_B x + 2Log_B x = 3Log_B x$ 

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The Product Rule:  $Log_B(xy) = Log_B x + Log_B y$ Consider the following application of the product rule.

 $Log_B(x^2) = 2Log_B x$   $Log_B(x^3) = Log_B[(x)(x^2)] = Log_B x + Log_B(x^2) =$   $= Log_B x + 2Log_B x = 3Log_B x$ 

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 $Log_{B}(x^{2}) = 2Log_{B}x$  $Log_{B}(x^{3}) = 3Log_{B}x$ 

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 $Log_{B}(x^{2}) = 2Log_{B}x$  $Log_{B}(x^{3}) = 3Log_{B}x$  $Log_{R}(x^{4}) =$ 

 $B^k = N$   $\log_B N = k$ 

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 $Log_{B}(x^{2}) = 2Log_{B}x$  $Log_{B}(x^{3}) = 3Log_{B}x$  $Log_{B}(x^{4}) = Log_{B}[(x)(x^{3})] =$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
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$$=$$

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \qquad \qquad \mathbf{\log}_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \quad | \mathbf{og}_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \qquad \qquad \mathbf{\log}_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

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 $Log_{B}(x^{2}) = 2Log_{B}x$  $Log_{B}(x^{3}) = 3Log_{B}x$  $Log_{B}(x^{4}) = 4Log_{B}x$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
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 $Log_{B}(x^{2}) = 2Log_{B}x$  $Log_{B}(x^{3}) = 3Log_{B}x$  $Log_{B}(x^{4}) = 4Log_{B}x$ 

In general,

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \quad \blacksquare \quad \mathbf{\log}_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

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 $Log_{B}(x^{2}) = 2Log_{B}x$  $Log_{B}(x^{3}) = 3Log_{B}x$  $Log_{B}(x^{4}) = 4Log_{B}x$ 

In general, Log<sub>B</sub>(x<sup>n</sup>)

$$B^k = N$$
  $\log_B N = k$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

The Product Rule:  $Log_B(xy) = Log_B x + Log_B y$ Consider the following application of the product rule.

 $Log_{B}(x^{2}) = 2Log_{B}x$  $Log_{B}(x^{3}) = 3Log_{B}x$  $Log_{B}(x^{4}) = 4Log_{B}x$ 

In general,  $Log_B(x^n) = nLog_B x$ .

 $B^k = N$   $\log_B N = k$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

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 $Log_{B}(x^{2}) = 2Log_{B}x$  $Log_{B}(x^{3}) = 3Log_{B}x$  $Log_{B}(x^{4}) = 4Log_{B}x$ 

In general,  $\text{Log}_{B}(x^{n}) = n\text{Log}_{B}x$ .

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

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 $Log_{B}(x^{2}) = 2Log_{B}x$  $Log_{B}(x^{3}) = 3Log_{B}x$  $Log_{B}(x^{4}) = 4Log_{B}x$ 

In general,  $Log_B(x^n) = nLog_B x$ .

This is called the power rule.

 $\mathbf{B}^{\mathbf{k}} = \mathbf{N}$   $\longrightarrow$   $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

**The Product Rule:**  $Log_B(xy) = Log_B x + Log_B y$ 

**The Power Rule:**  $Log_B(x^n) = nLog_B x$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\longrightarrow$   $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\longrightarrow$   $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be positive.)

Suppose that  $x = B^u$  and  $y = B^v$ .

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \implies \log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$
Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be positive.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then x/y =

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\longrightarrow$   $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be positive.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v)$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\longrightarrow$   $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be positive.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) =$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \implies \log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be positive.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ .

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\longrightarrow$   $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms,

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \quad \blacksquare \quad \mathbf{\log}_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms, we can conclude

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \quad \blacksquare \quad \mathbf{\log}_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

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Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that x = B<sup>u</sup> and y = B<sup>v</sup>. Then x/y = (B<sup>u</sup>)/(B<sup>v</sup>) = B<sup>u-v</sup>. Using the definition of logarithms, we can conclude Log<sub>B</sub>x =

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms, we can conclude  $Log_B x = u$ ,

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

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Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms, we can conclude  $\log_B x = u$ ,  $\log_B y = v$  and

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that x = B<sup>u</sup> and y = B<sup>v</sup>. Then x/y = (B<sup>u</sup>)/(B<sup>v</sup>) = B<sup>u-v</sup>. Using the definition of logarithms, we can conclude Log<sub>B</sub>x = u, Log<sub>B</sub>y = v and

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
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Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms, we can conclude  $\log_B x = u$ ,  $\log_B y = v$  and  $\log_B (x/y) = u - v$ .

Therefore,

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms, we can conclude  $\log_B x = u$ ,  $\log_B y = v$  and  $\log_B (x/y) = u - v$ .

Therefore,  $Log_B(x/y) =$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms, we can conclude  $Log_B x = u$ ,  $Log_B y = v$  and  $Log_B (x/y) = u - v$ .

Therefore,  $Log_B(x/y) = Log_B x$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms, we can conclude  $\log_B x = u$ ,  $\log_B y = v$  and  $\log_B (x/y) = u - v$ .

Therefore,  $\text{Log}_{B}(x/y) = \text{Log}_{B}x -$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms, we can conclude  $Log_B x = u$ ,  $Log_B y = v$  and  $Log_B (x/y) = u - v$ . Therefore,  $Log_B (x/y) = Log_B x - Log_B y$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \qquad \qquad \mathbf{\log}_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms, we can conclude  $\log_B x = u$ ,  $\log_B y = v$  and  $\log_B (x/y) = u - v$ .

Therefore,  $\text{Log}_{B}(x/y) = \text{Log}_{B}x - \text{Log}_{B}y$ .

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \qquad \qquad \mathbf{\log}_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

Suppose that  $x = B^u$  and  $y = B^v$ . Then  $x/y = (B^u)/(B^v) = B^{u-v}$ . Using the definition of logarithms, we can conclude  $\log_B x = u$ ,  $\log_B y = v$  and  $\log_B (x/y) = u - v$ .

**Therefore**,  $\text{Log}_{B}(x/y) = \text{Log}_{B}x - \text{Log}_{B}y$ .

This is called the 'quotient rule'.

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \qquad \qquad \mathbf{\log}_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

The Quotient Rule:  $Log_B(x/y) = Log_B x - Log_B y$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\longrightarrow$   $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

The Quotient Rule:  $Log_B(x/y) = Log_B x - Log_B y$ Consider the following application of the quotient rule.

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \implies \log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

The Quotient Rule: Log<sub>B</sub>(x/y) = Log<sub>B</sub>x – Log<sub>B</sub>y Consider the following application of the quotient rule. Log<sub>B</sub>(1/x)

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

The Quotient Rule:  $Log_B(x/y) = Log_B x - Log_B y$ Consider the following application of the quotient rule.

 $\operatorname{Log}_{B}(1/x) =$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \implies \log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

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The Quotient Rule:  $Log_B(x/y) = Log_B x - Log_B y$ Consider the following application of the quotient rule.  $Log_B(1/x) = Log_B 1$ 

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  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

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The Quotient Rule: Log<sub>B</sub>(x/y) = Log<sub>B</sub>x – Log<sub>B</sub>y

**Consider the following application of the quotient rule.** 

 $\operatorname{Log}_{B}(1/x) = \operatorname{Log}_{B}1 - \operatorname{Log}_{B}x =$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

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The Quotient Rule:  $Log_B(x/y) = Log_B x - Log_B y$ 

**Consider the following application of the quotient rule.** 

 $\operatorname{Log}_{B}(1/x) = \operatorname{Log}_{B}1 - \operatorname{Log}_{B}x = 0$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

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The Quotient Rule:  $\log_B(x/y) = \log_B x - \log_B y$ 

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The Quotient Rule:  $Log_B(x/y) = Log_B x - Log_B y$ Consider the following application of the quotient rule.

 $\operatorname{Log}_{B}(1/x) = \operatorname{Log}_{B}1 - \operatorname{Log}_{B}x = 0 - \operatorname{Log}_{B}x = -\operatorname{Log}_{B}x$ 

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$$\mathbf{B}^{\mathbf{k}} = \mathbf{N} \quad \blacksquare \quad \mathbf{\log}_{\mathbf{B}} \mathbf{N} = \mathbf{k}$$

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

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Therefore,

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Therefore,  $\text{Log}_{B}(1/x) = -\text{Log}_{B}x$ .

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

The Quotient Rule:  $Log_B(x/y) = Log_B x - Log_B y$ Consider the following application of the quotient rule.

 $Log_B(1/x) = Log_B 1 - Log_B x = 0 - Log_B x = -Log_B x$ 

Therefore,  $Log_B(1/x) = -Log_B x$ . This is called the reciprocal rule.

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

Because the log of a number is an exponent, the properties of logarithms are closely related to the properties of exponents. (Note: The base, B, of a logarithmic expression, must be <u>positive</u>.)

The Quotient Rule:  $\log_B(x/y) = \log_B x - \log_B y$ 

**The Reciprocal Rule:**  $Log_B(1/x) = -Log_B x$ 

$$\mathbf{B}^{\mathbf{k}} = \mathbf{N}$$
  $\longrightarrow$   $\log_{\mathbf{B}} \mathbf{N} = \mathbf{k}$ 

# **The Properties of Logarithms**

 $Log_B B = 1$ 

 $Log_B 1 = 0$ 

The Product Rule:  $Log_B(xy) = Log_B x + Log_B y$ 

The Power Rule:  $Log_B(x^n) = nLog_B x$ 

The Quotient Rule:  $Log_B(x/y) = Log_B x - Log_B y$ 

The Reciprocal Rule:  $Log_B(1/x) = -Log_B x$ 

$$\log_{B} N = k \implies B^{k} = N$$

**Common logarithm is log base 10.** 

$$\log_{B} N = k \implies B^{k} = N$$

Common logarithm is log base 10. The common logarithm of 100 is written as Log 100.

$$\log_{B} N = k \implies B^{k} = N$$

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$$\log_{B} N = k \implies B^{k} = N$$

Common logarithm is log base 10. The common logarithm of 100 is written as Log 100. Notice that the base is not written. Clearly, since  $100 = 10^2$ , Log 100 = 2.

$$\log_{B} N = k \qquad \qquad B^{k} = N$$

Common logarithm is log base 10. The common logarithm of 100 is written as Log 100. Notice that the base is not written. Clearly, since  $100 = 10^2$ , Log 100 = 2. If a number, k, is a power of 10,

$$\log_{B} N = k \implies B^{k} = N$$

Common logarithm is log base 10. The common logarithm of 100 is written as Log 100. Notice that the base is not written. Clearly, since  $100 = 10^2$ , Log 100 = 2. If a number, k, is a power of 10, then Log k (the common logarithm of k) 'comes out even'.

$$\log_{B} N = k \implies B^{k} = N$$

Common logarithm is log base 10. The common logarithm of 100 is written as Log 100. Notice that the base is not written. Clearly, since  $100 = 10^2$ , Log 100 = 2. If a number, k, is a power of 10, then Log k (the common logarithm of k) 'comes out even'. If k is not a power of 10, however,

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Natural logarithm is log base e.

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Natural logarithm is log base e. The natural logarithm of e<sup>2</sup> is written as ln e<sup>2</sup>.

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$$\log_{B} N = k \implies B^{k} = N$$

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$$\log_{B} N = k \implies B^{k} = N$$

Complete each of the following properties of logarithms.

1.  $\log_B B =$ \_\_\_\_\_ 2.  $\log_B 1 =$ \_\_\_\_\_

3.  $\log_B(mn) =$  4.  $\log_B(m^n) =$ 

5. 
$$\log_{B}(\frac{m}{n}) =$$
 6.  $\log_{B}(\frac{1}{n}) =$ 

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**Complete each of the following properties of logarithms.** 

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5. 
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**Complete each of the following properties of logarithms.** 

1. 
$$\log_B B = 1$$
 2.  $\log_B 1 = 0$ 

3.  $\log_{B}(mn) = \log_{B}m$  4.  $\log_{B}(m^{n}) =$ 

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 2.  $\log_B 1 = 0$ 

3.  $\log_B(mn) = \log_B m +$  4.  $\log_B(m^n) =$ 

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$$\log_{B}(\frac{m}{n}) =$$
 \_\_\_\_\_ 6.  $\log_{B}(\frac{1}{n}) =$  \_\_\_\_\_

**Complete each of the following properties of logarithms.** 

1. 
$$\log_B B = 1$$
 2.  $\log_B 1 = 0$ 

3.  $\operatorname{Log}_{B}(mn) = \operatorname{Log}_{B}m + \operatorname{Log}_{B}n$  4.  $\operatorname{Log}_{B}(m^{n}) =$ 

5. 
$$\log_{B}(\frac{m}{n}) =$$
 \_\_\_\_\_ 6.  $\log_{B}(\frac{1}{n}) =$  \_\_\_\_\_

**Complete each of the following properties of logarithms.** 

1. 
$$\log_B B = 1$$
 2.  $\log_B 1 = 0$ 

3.  $\text{Log}_{B}(\text{mn}) = \frac{\text{Log}_{B}\text{m} + \text{Log}_{B}\text{n}}{4}$  4.  $\text{Log}_{B}(\text{m}^{n}) =$ 

5. 
$$\log_{B}(\frac{m}{n}) =$$
 \_\_\_\_\_ 6.  $\log_{B}(\frac{1}{n}) =$  \_\_\_\_\_

1. 
$$\log_B B = 1$$
 2.  $\log_B 1 = 0$ 

3. 
$$\log_{B}(mn) = \log_{B}m + \log_{B}n$$
 4.

4. 
$$Log_{B}(m^{n}) =$$

5. 
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1. 
$$\log_B B = 1$$
 2.  $\log_B 1 = 0$ 

**3.** 
$$\log_B(mn) = \frac{\log_B m + \log_B n}{\log_B (m^n)}$$
 **4.**  $\log_B(m^n) = \frac{n \log_B m}{\log_B m}$ 

5. 
$$\log_{B}(\frac{m}{n}) =$$
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1. 
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 4.  $\log_{B}(m^{n}) = \frac{n \log_{B}m}{4}$ 

5. 
$$\operatorname{Log}_{B}(\frac{m}{n}) = \underline{\operatorname{Log}_{B}m} - 6. \operatorname{Log}_{B}(\frac{1}{n}) = \underline{$$

1. 
$$\log_B B = 1$$
 2.  $\log_B 1 = 0$ 

3. 
$$\log_B(mn) = \lfloor \log_B m + \log_B n \rfloor$$
 4.  $\log_B(m^n) = \lfloor n \log_B m \rfloor$ 

5. 
$$\operatorname{Log}_{B}(\frac{m}{n}) = \underline{\operatorname{Log}_{B}m - \operatorname{Log}_{B}n}$$
 6.  $\operatorname{Log}_{B}(\frac{1}{n}) = \underline{$ 

1. 
$$\log_B B = 1$$
 2.  $\log_B 1 = 0$ 

3. 
$$\log_{B}(mn) = \frac{\log_{B}m + \log_{B}n}{4}$$
 4.  $\log_{B}(m^{n}) = \frac{n \log_{B}m}{4}$ 

5. 
$$\operatorname{Log}_{B}(\frac{m}{n}) = \frac{\operatorname{Log}_{B}m - \operatorname{Log}_{B}n}{6}$$
 6.  $\operatorname{Log}_{B}(\frac{1}{n}) =$ 

1. 
$$\log_B B = 1$$
 2.  $\log_B 1 = 0$ 

3. 
$$\log_B(mn) = \frac{\log_B m + \log_B n}{4}$$
 4.  $\log_B(m^n) = \frac{n \log_B m}{4}$ 

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$$\operatorname{Log}_{B}(\frac{m}{n}) = \frac{\operatorname{Log}_{B}m - \operatorname{Log}_{B}n}{6}$$
 6.  $\operatorname{Log}_{B}(\frac{1}{n}) =$ 

1. 
$$\log_B B = 1$$
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$$\log_{B}(mn) = \frac{\log_{B}m + \log_{B}n}{4}$$
 4.  $\log_{B}(m^{n}) = \frac{n\log_{B}m}{4}$ 

5. 
$$\operatorname{Log}_{B}(\frac{m}{n}) = \frac{\operatorname{Log}_{B}m - \operatorname{Log}_{B}n}{6}$$
 6.  $\operatorname{Log}_{B}(\frac{1}{n}) = -\operatorname{Log}_{B}n$ 

1. 
$$\log_B B = 1$$
 2.  $\log_B 1 = 0$ 

3. 
$$\log_{B}(mn) = \frac{\log_{B}m + \log_{B}n}{4}$$
 4.  $\log_{B}(m^{n}) = \frac{n \log_{B}m}{4}$ 

5. 
$$\operatorname{Log}_{B}(\frac{m}{n}) = \operatorname{Log}_{B}m - \operatorname{Log}_{B}n$$
 6.  $\operatorname{Log}_{B}(\frac{1}{n}) = \operatorname{Log}_{B}n$ 

**Complete each of the following properties of logarithms.** 

1. 
$$\log_B B = 1$$
 2.  $\log_B 1 = 0$ 

3. 
$$\log_B(mn) = \frac{\log_B m + \log_B n}{4}$$
 4.  $\log_B(m^n) = \frac{n \log_B m}{4}$ 

5. 
$$\operatorname{Log}_{B}(\frac{m}{n}) = \frac{\operatorname{Log}_{B}m - \operatorname{Log}_{B}n}{6}$$
 6.  $\operatorname{Log}_{B}(\frac{1}{n}) = \frac{-\operatorname{Log}_{B}n}{6}$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

7.  $\log_{N} 15 =$  8.  $\log_{N} 125 =$ 

9.  $\log_{N} 12 =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

7.  $\log_{N} 15 =$  8.  $\log_{N} 125 =$ 

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- 7.  $\log_{N} 15 =$  8.  $\log_{N} 125 =$
- 9.  $Log_N 12 =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

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9.  $Log_N 12 =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 =$  8.  $\log_{N} 125 =$ =  $\log_{N} [(3)(5)]$
- 9.  $Log_N 12 =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 =$  8.  $\log_{N} 125 =$ =  $\log_{N} [(3)(5)] =$
- 9.  $Log_N 12 =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 =$  8.  $\log_{N} 125 =$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3$
- 9.  $\log_{N} 12 =$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 =$  8.  $\log_{N} 125 =$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 +$
- 9.  $\log_{N} 12 =$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 =$  8.  $\log_{N} 125 =$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5$
- 9.  $Log_N 12 =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 =$  8.  $\log_{N} 125 =$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$
- 9.  $Log_N 12 =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 =$
- 9.  $\log_{N} 12 =$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b} +$   $= \log_{N} [(3)(5)] =$  $= \log_{N} 3 + \log_{N} 5 =$
- 9.  $\log_{N} 12 =$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$
- 9.  $\log_{N} 12 =$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 =$
- 9.  $Log_N 12 =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = b + c$   $= \log_{N} [(3)(5)] =$   $= \log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 =$
- 9.  $Log_N 12 =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

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 $= \log_{N} [(3)(5)] = = =$   
 $= \log_{N} 3 + \log_{N} 5 =$   
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9.  $Log_N 12 =$ \_\_\_\_\_
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- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 =$ =  $\log_{N} (5^{3})$
- 9.  $Log_N 12 =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 =$ =  $\log_{N} (5^{3}) =$ =
- 9.  $Log_N 12 =$ \_\_\_\_\_

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- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 =$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5$
- 9.  $\log_{N} 12 =$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

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- 9.  $Log_N 12 =$ \_\_\_\_\_

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- 9.  $Log_N 12 =$

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- 9.  $\log_{N} 12 =$

=

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- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 =$ \_\_\_\_\_

 $= \text{Log}_{N} [(2^{2})(3)]$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 =$ =  $\log_{N} [(2^{2})(3)] =$ =

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 =$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2})$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 =$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) +$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 =$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

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- 9.  $\log_{N} 12 =$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =

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- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 =$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 =$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 +$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

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- 9.  $\log_{N} 12 =$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 =$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$

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- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$ 

9. 
$$\log_{N} 12 = 2a +$$
  
=  $\log_{N} [(2^{2})(3)] =$   
=  $\log_{N} (2^{2}) + \log_{N} 3 =$   
=  $2 \log_{N} 2 + \log_{N} 3 =$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$ 

9. 
$$\log_{N} 12 = 2a + b$$
  
=  $\log_{N} [(2^{2})(3)] =$   
=  $\log_{N} (2^{2}) + \log_{N} 3 =$   
=  $2 \log_{N} 2 + \log_{N} 3 =$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

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9. 
$$\log_{N} 12 = 2a + b$$
  
=  $\log_{N} [(2^{2})(3)] =$   
=  $\log_{N} (2^{2}) + \log_{N} 3 =$   
=  $2 \log_{N} 2 + \log_{N} 3 =$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] = \frac{1}{2} = \log_{N} (5^{3}) = \frac{1}{2} \log_{N} 5 = \frac{1}{2} \log_{$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] = \frac{1}{2} = \log_{N} (5^{3}) = \frac{1}{2} \log_{N} 5 = \frac{1}{2} \log_{$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$



Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$

10.  $\log_N 0.75 =$ =  $\log_N [(3)/(2^2)]$ 

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$

10. 
$$\log_N 0.75 =$$
  
=  $\log_N [(3)/(2^2)] =$   
=

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$
- 10.  $\log_{N} 0.75 =$ =  $\log_{N} [(3)/(2^{2})] =$ =  $\log_{N} 3$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$

10.  $\log_{N} 0.75 =$ =  $\log_{N} [(3)/(2^{2})] =$ =  $\log_{N} 3 -$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$

10.  $\log_{N} 0.75 =$ =  $\log_{N} [(3)/(2^{2})] =$ =  $\log_{N} 3 - \log_{N} (2^{2})$ 

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$
- 10.  $\log_{N} 0.75 =$ =  $\log_{N} [(3)/(2^{2})] =$ =  $\log_{N} 3 - \log_{N} (2^{2}) =$ =

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$
- 10.  $\log_{N} 0.75 =$ =  $\log_{N} [(3)/(2^{2})] =$ =  $\log_{N} 3 - \log_{N} (2^{2}) =$ =  $\log_{N} 3$

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
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- 10.  $\log_{N} 0.75 =$ =  $\log_{N} [(3)/(2^{2})] =$ =  $\log_{N} 3 - \log_{N} (2^{2}) =$ =  $\log_{N} 3 -$

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$
- 10.  $\log_{N} 0.75 =$ =  $\log_{N} [(3)/(2^{2})] =$ =  $\log_{N} 3 - \log_{N} (2^{2}) =$ =  $\log_{N} 3 - 2\log_{N} 2$

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$
- 10.  $\log_{N} 0.75 =$ =  $\log_{N} [(3)/(2^{2})] =$ =  $\log_{N} 3 - \log_{N} (2^{2}) =$ =  $\log_{N} 3 - 2\log_{N} 2 =$

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$
- 10.  $\log_{N} 0.75 = \underline{b}$ =  $\log_{N} [(3)/(2^{2})] =$ =  $\log_{N} 3 - \log_{N} (2^{2}) =$ =  $\log_{N} 3 - 2\log_{N} 2 =$

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$
- 10.  $\log_{N} 0.75 = \underline{b} \frac{10}{2}$ =  $\log_{N} [(3)/(2^{2})] = \frac{100}{2} - \frac{100}{2} \log_{N} (2^{2}) = \frac{100}{2} \log_{N} 3 - 2\log_{N} 2 = \frac{100}{2} \log_{N} 3 - 2\log_{N} 2 = \frac{100}{2} \log_{N} 2 \log_{N} 2 = \frac{100}{2} \log_{N} 2 \log_{$
- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$
- 10.  $\log_{N} 0.75 = b 2a$ =  $\log_{N} [(3)/(2^{2})] =$ =  $\log_{N} 3 - \log_{N} (2^{2}) =$ =  $\log_{N} 3 - 2 \log_{N} 2 =$

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$ =  $\log_{N} [(2^{2})(3)] =$ =  $\log_{N} (2^{2}) + \log_{N} 3 =$ =  $2 \log_{N} 2 + \log_{N} 3 =$

10. 
$$\log_{N} 0.75 = b - 2a$$
  
=  $\log_{N} [(3)/(2^{2})] =$   
=  $\log_{N} 3 - \log_{N} (2^{2}) =$   
=  $\log_{N} 3 - 2\log_{N} 2 =$ 

- 7.  $\log_{N} 15 = \underline{b + c}$ =  $\log_{N} [(3)(5)] =$ =  $\log_{N} 3 + \log_{N} 5 =$ 8.  $\log_{N} 125 = \underline{3c}$ =  $\log_{N} (5^{3}) =$ =  $3 \log_{N} 5 =$
- 9.  $\log_{N} 12 = 2a + b$   $= \log_{N} [(2^{2})(3)] =$   $= \log_{N} (2^{2}) + \log_{N} 3 =$   $= 2\log_{N} 2 + \log_{N} 3 =$ 10.  $\log_{N} 0.75 = b - 2a$   $= \log_{N} 0.75 = b - 2a$  $= \log_{N} 0.75 = b - 2a$

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_N(3N^3) =$  12.  $\log_N 0.125 =$ 

13.  $\log_N 0.6 =$  14.  $\log_N \sqrt{6} =$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

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$$\log_N 0.6 =$$
\_\_\_\_\_ 14.  $\log_N \sqrt{6} =$ \_\_\_\_\_

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11.  $\log_{N}(3N^{3}) =$  \_\_\_\_\_ 12.  $\log_{N} 0.125 =$  \_\_\_\_\_

13.  $\log_N 0.6 =$ \_\_\_\_\_ 14.  $\log_N \sqrt{6} =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

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Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) =$ \_\_\_\_\_ 12.  $\log_{N} 0.125 =$ \_\_\_\_\_ =  $\log_{N} 3$ 13.  $\log_{N} 0.6 =$ \_\_\_\_\_ 14.  $\log_{N} \sqrt{6} =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) =$ \_\_\_\_\_ 12.  $\log_{N} 0.125 =$ \_\_\_\_\_ =  $\log_{N} 3 +$ 13.  $\log_{N} 0.6 =$ \_\_\_\_\_ 14.  $\log_{N} \sqrt{6} =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) =$ \_\_\_\_\_ 12.  $\log_{N} 0.125 =$ \_\_\_\_\_ =  $\log_{N} 3 + \log_{N}(N^{3})$ 13.  $\log_{N} 0.6 =$ \_\_\_\_\_ 14.  $\log_{N} \sqrt{6} =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) =$ \_\_\_\_\_\_ 12.  $\log_{N} 0.125 =$ \_\_\_\_\_\_ = Log<sub>N</sub> 3 + Log<sub>N</sub>(N<sup>3</sup>) = = 13.  $\log_{N} 0.6 =$ \_\_\_\_\_\_ 14.  $\log_{N} \sqrt{6} =$ \_\_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) =$ \_\_\_\_\_ 12.  $\log_{N} 0.125 =$ \_\_\_\_\_ =  $\log_{N} 3 + \log_{N}(N^{3}) =$ =  $\log_{N} 3$ 

14.  $\log_{N}\sqrt{6} =$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) =$ \_\_\_\_\_ 12.  $\log_{N} 0.125 =$ \_\_\_\_\_ =  $\log_{N} 3 + \log_{N}(N^{3}) =$ =  $\log_{N} 3 +$ 

14.  $\log_{N}\sqrt{6} =$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) =$  12.  $\log_{N} 0.125 =$ =  $\log_{N} 3 + \log_{N}(N^{3}) =$ =  $\log_{N} 3 + 3\log_{N} N$ 

14.  $\log_{N}\sqrt{6} =$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_N(3N^3) =$  12.  $\log_N 0.125 =$  $= \operatorname{Log}_{N} 3 + \operatorname{Log}_{N} (N^{3}) =$  $= Log_N 3 + 3 Log_N N =$ = 14.  $\log_{N}\sqrt{6} =$  \_\_\_\_\_

- 11.  $\log_{N}(3N^{3}) =$  12.  $\log_{N} 0.125 =$ =  $\log_{N} 3 + \log_{N}(N^{3}) =$ =  $\log_{N} 3 + 3\log_{N} N =$ =  $\log_{N} 3$
- 13.  $\log_N 0.6 =$  \_\_\_\_\_
- 14.  $\log_{N}\sqrt{6} =$  \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) =$ \_\_\_\_\_\_ 12.  $\log_{N} 0.125 =$ \_\_\_\_\_ =  $\log_{N} 3 + \log_{N}(N^{3}) =$ =  $\log_{N} 3 + 3\log_{N} N =$ =  $\log_{N} 3 +$ 13.  $\log_{N} 0.6 =$ \_\_\_\_\_ 14.  $\log_{N} \sqrt{6} =$ \_\_\_\_\_

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11.  $\log_{N}(3N^{3}) =$ \_\_\_\_\_ 12.  $\log_{N} 0.125 =$ \_\_\_\_\_ =  $\log_{N} 3 + \log_{N}(N^{3}) =$ =  $\log_{N} 3 + 3\log_{N} N =$ =  $\log_{N} 3 + 3(1)$ 13.  $\log_{N} 0.6 =$ \_\_\_\_\_ 14.  $\log_{N} \sqrt{6} =$ \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) =$ \_\_\_\_\_\_ 12.  $\log_{N} 0.125 =$ \_\_\_\_\_ =  $\log_{N} 3 + \log_{N}(N^{3}) =$ =  $\log_{N} 3 + 3\log_{N} N =$ =  $\log_{N} 3 + 3(1) =$ 13.  $\log_{N} 0.6 =$ \_\_\_\_\_ 14.  $\log_{N} \sqrt{6} =$ \_\_\_\_\_

- 11.  $\log_N(3N^3) = b$  12.  $\log_N 0.125 =$  $= \operatorname{Log}_{N} 3 + \operatorname{Log}_{N} (N^{3}) =$  $= Log_N 3 + 3 Log_N N =$  $= Log_{N}3 + 3(1) =$ 14.  $\log_{N}\sqrt{6} =$  \_\_\_\_\_
- 13.  $\log_N 0.6 =$  \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11. 
$$\log_{N}(3N^{3}) = \underline{b} + 12. \log_{N} 0.125 =$$

13.  $\log_N 0.6 =$  14.  $\log_N \sqrt{6} =$ 

11. 
$$\log_{N}(3N^{3}) = \underline{b+3}$$
  
=  $\log_{N} 3 + \log_{N}(N^{3}) =$   
=  $\log_{N} 3 + 3\log_{N} N =$   
=  $\log_{N} 3 + 3(1) =$   
13.  $\log_{N} 0.6 = \underline{ 14. \log_{N} \sqrt{6}} = \underline{ 14. \log_{N} \sqrt{6} = \underline{ 14. \log_{N} \sqrt{6}} = \underline{ 14. \log_{N} \sqrt{6}} = \underline{ 14. \log_{N} \sqrt{6} = \underline{ 14. \log_{N} \sqrt{6}} = \underline{ 14. \log_{N} \sqrt{6} = \underline{ 14. \log_{N} \sqrt{6}} = \underline{ 14. \log_{N} \sqrt{6} = \underline{ 14. \log_{N} \sqrt{6} } = \underline{ 14. \log_{N} \sqrt{6} = \underline{ 14. \log_{N} \sqrt{6} } = \underline{ 14. \log_{N}$ 

11. 
$$\log_{N}(3N^{3}) = \underline{b+3}$$
  
=  $\log_{N}3 + \log_{N}(N^{3}) =$   
=  $\log_{N}3 + 3\log_{N}N =$   
=  $\log_{N}3 + 3(1) =$   
13.  $\log_{N}0.6 = \underline{ 14. \log_{N}\sqrt{6}} = \underline{ 14. \log_{N}\sqrt{6} = \underline{ 14. \log_{N}\sqrt{6} = \underline{ 14.$ 

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) = \underline{b+3}$ =  $\log_{N}3 + \log_{N}(N^{3}) =$ =  $\log_{N}3 + 3\log_{N}N =$ =  $\log_{N}3 + 3(1) =$ 12.  $\log_{N}0.125 =$ 

13.  $\log_N 0.6 =$  \_\_\_\_\_

14.  $\log_{N}\sqrt{6} =$  \_\_\_\_\_

- 11.  $\log_{N}(3N^{3}) = \underline{b+3}$ =  $\log_{N}3 + \log_{N}(N^{3}) = =$ =  $\log_{N}3 + 3\log_{N}N =$ =  $\log_{N}3 + 3(1) =$ 12.  $\log_{N}0.125 =$ =
- 13.  $\log_{N} 0.6 =$  \_\_\_\_\_

14. 
$$\log_{N}\sqrt{6} =$$
 \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) = \underline{b+3}$ =  $\log_{N}3 + \log_{N}(N^{3}) =$ =  $\log_{N}3 + 3\log_{N}N =$ =  $\log_{N}3 + 3(1) =$ 12.  $\log_{N}0.125 =$ =  $\log_{N}(1/8)$ 

13.  $\log_N 0.6 =$  \_\_\_\_\_

14.  $\log_{N}\sqrt{6} =$  \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11.  $\log_{N}(3N^{3}) = \underline{b+3}$ =  $\log_{N}3 + \log_{N}(N^{3}) =$ =  $\log_{N}3 + 3\log_{N}N =$ =  $\log_{N}3 + 3(1) =$ 12.  $\log_{N}0.125 =$ =  $\log_{N}(1/8) =$ 

14. 
$$\log_{N}\sqrt{6} =$$
 \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11. 
$$\log_{N}(3N^{3}) = \underline{b+3}$$
  
=  $\log_{N}3 + \log_{N}(N^{3}) =$   
=  $\log_{N}3 + 3\log_{N}N =$   
=  $\log_{N}3 + 3(1) =$   
12.  $\log_{N}0.125 =$   
=  $\log_{N}(1/8) = \log_{N}(1/2^{3})$ 

14. 
$$\log_{N}\sqrt{6} =$$
 \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11. 
$$\log_{N}(3N^{3}) = \underline{b+3}$$
  
=  $\log_{N} 3 + \log_{N}(N^{3}) =$   
=  $\log_{N} 3 + 3\log_{N} N =$   
=  $\log_{N} 3 + 3(1) =$   
12.  $\log_{N} 0.125 = \_$   
=  $\log_{N} (1/8) = \log_{N} (1/2^{3}) =$   
=  $\log_{N} 3 + 3(1) =$ 

14. 
$$\log_{N}\sqrt{6} =$$
 \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11. 
$$\log_{N}(3N^{3}) = \underline{b+3}$$
  
=  $\log_{N}3 + \log_{N}(N^{3}) =$   
=  $\log_{N}3 + 3\log_{N}N =$   
=  $\log_{N}3 + 3(1) =$   
12.  $\log_{N}0.125 = \_$   
=  $\log_{N}(1/8) = \log_{N}(1/2^{3}) =$   
=  $\log_{N}1$ 

14. 
$$\log_{N}\sqrt{6} =$$
 \_\_\_\_\_

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11. 
$$\log_{N}(3N^{3}) = \underline{b+3}$$
  
=  $\log_{N}3 + \log_{N}(N^{3}) =$   
=  $\log_{N}3 + 3\log_{N}N =$   
=  $\log_{N}3 + 3(1) =$   
12.  $\log_{N}0.125 =$   
=  $\log_{N}(1/8) = \log_{N}(1/2^{3}) =$   
=  $\log_{N}1 -$ 

14. 
$$\log_{N}\sqrt{6} =$$
 \_\_\_\_\_

- 11.  $\log_{N}(3N^{3}) = \underline{b+3}$ =  $\log_{N}3 + \log_{N}(N^{3}) =$ =  $\log_{N}3 + 3\log_{N}N =$ =  $\log_{N}3 + 3(1) =$ 12.  $\log_{N}0.125 = \_$ =  $\log_{N}(1/8) = \log_{N}(1/2^{3}) =$ =  $\log_{N}1 - \log_{N}(2^{3})$
- 13.  $\log_N 0.6 =$  \_\_\_\_\_

14. 
$$\log_{N}\sqrt{6} =$$
 \_\_\_\_\_

Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

11. 
$$\log_{N}(3N^{3}) = \underline{b+3}$$
  
=  $\log_{N} 3 + \log_{N}(N^{3}) =$   
=  $\log_{N} 3 + 3\log_{N} N =$   
=  $\log_{N} 3 + 3(1) =$   
12.  $\log_{N} 0.125 = \underline{\phantom{0}}$   
=  $\log_{N} (1/8) = \log_{N} (1/2^{3}) =$   
=  $\log_{N} 1 - \log_{N} (2^{3}) =$   
=

14. 
$$\log_{N}\sqrt{6} =$$
 \_\_\_\_\_

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 $= \log_N 1 - \log_N(2^3) =$ 
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 $= \log_{N} (1/2^{3}) =$   
 $= \log_{N} 1 - \log_{N} (2^{3}) =$   
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 $= \log_{N}1 - \log_{N}(2^{3}) =$   
 $= 0 - 3\log_{N}2 = 0 - 3a =$   
13.  $\log_{N}0.6 = \underline{b-c}$   
 $= \log_{N}(3/5) =$   
14.  $\log_{N}\sqrt{6} = \underline{-2}$ 

 $= Log_N 3 - Log_N 5 =$ 

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Given:  $\log_N 2 = a$ ;  $\log_N 3 = b$ ;  $\log_N 5 = c$ . Express each of the following using an algebraic expression in terms of a, b, and/or c.

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$$\log_{N}(3N^{3}) = \underline{b+3}$$
  
 $= \log_{N}3 + \log_{N}(N^{3}) =$   
 $= \log_{N}3 + 3\log_{N}N =$   
 $= \log_{N}3 + 3(1) =$   
12.  $\log_{N}0.125 = \underline{-3a}$   
 $= \log_{N}(1/2^{3}) =$   
 $= \log_{N}(1/2^{3}) =$   
 $= \log_{N}(1/2^{3}) =$   
 $= 0 - 3\log_{N}(2^{3}) =$   
 $= 14. \log_{N}\sqrt{6} = \underline{2}$   
 $= \log_{N}(3/5) =$   
 $= 0.5\log_{N}[(2)(3)] =$   
 $= 0.5(\log_{N}2 + \log_{N}3) =$ 

**Evaluate each of the following.** 

15.  $\log_2 32 =$  16.  $\log_3(1/9) =$ 

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15.  $\log_2 32 = \_$  16.  $\log_3 (1/9) = \_$  $32 = 2^5$ 

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15.  $\log_2 32 = 5$   $32 = 2^5$ 16.  $\log_3(1/9) = _____$ 

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**Evaluate each of the following.** 

- 15.  $Log_2 32 = 5$  16.  $Log_3 (1/9) = _____

   <math>32 = 2^5$  1/9
- 17.  $\log_9 3 =$ \_\_\_\_\_ 18.  $\log_8 0.125 =$ \_\_\_\_\_

**Evaluate each of the following.** 

 15.  $Log_2 32 = 5$  16.  $Log_3 (1/9) = _____

 <math>32 = 2^5$  1/9 = 

17.  $\log_9 3 =$ \_\_\_\_\_ 18.  $\log_8 0.125 =$ \_\_\_\_\_

**Evaluate each of the following.** 

- 15.  $Log_2 32 = 5$  16.  $Log_3 (1/9) = 1/3^2$ 
   $32 = 2^5$   $1/9 = 1/3^2$
- 17.  $\log_9 3 =$ \_\_\_\_\_ 18.  $\log_8 0.125 =$ \_\_\_\_\_

**Evaluate each of the following.** 

 15.  $Log_2 32 = 5$  16.  $Log_3 (1/9) = 1/3^2 = 1$ 

17.  $\log_9 3 =$ \_\_\_\_\_ 18.  $\log_8 0.125 =$ \_\_\_\_\_

**Evaluate each of the following.** 

 15.  $Log_2 32 = 5$  16.  $Log_3 (1/9) = 5$ 
 $32 = 2^5$   $1/9 = 1/3^2 = 3^{-2}$ 

17.  $\log_9 3 =$ \_\_\_\_\_ 18.  $\log_8 0.125 =$ \_\_\_\_\_

**Evaluate each of the following.** 

 15.  $Log_2 32 = 5$  16.  $Log_3 (1/9) = -2$ 
 $32 = 2^5$   $1/9 = 1/3^2 = 3^{-2}$ 

17.  $\log_9 3 =$ \_\_\_\_\_ 18.  $\log_8 0.125 =$ \_\_\_\_\_

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**Evaluate each of the following.** 

 $3 = \sqrt{9} = 9^{(1/2)}$ 

15.  $\text{Log}_2 32 = 5$ 16.  $\text{Log}_3(1/9) = -2$  $32 = 2^5$  $1/9 = 1/3^2 = 3^{-2}$ 17.  $Log_{9}3 =$  \_\_\_\_\_ 18.  $\log_8 0.125 =$ 

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- 17.  $\log_9 3 = \frac{1/2}{3}$  $3 = \sqrt{9} = 9^{(1/2)}$

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- 15.  $\text{Log}_2 32 = 5$  16.  $\text{Log}_3(1/9) = -2$ 
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   <math>3 = \sqrt{9} = 9^{(1/2)}$   $0.125 = 1/8 = 8^{-1}$
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- 19.  $Log_2(1/16) = \_-4$  20.  $Log_5 \sqrt{5} = \_$ 
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- 17.  $\log_9 3 = 1/2$   $3 = \sqrt{9} = 9^{(1/2)}$ 18.  $\log_8 0.125 = -1$  $0.125 = 1/8 = 8^{-1}$
- 19.  $Log_2(1/16) = \_-4$  20.  $Log_5 \sqrt{5} = \_$ 
   $1/16 = 1/2^4 = 2^{-4}$   $\sqrt{5} = 5^{(1/2)}$

- 15.  $Log_2 32 = 5$  16.  $Log_3 (1/9) = -2$ 
   $32 = 2^5$   $1/9 = 1/3^2 = 3^{-2}$
- 17.  $\log_9 3 = 1/2$   $3 = \sqrt{9} = 9^{(1/2)}$ 18.  $\log_8 0.125 = -1$  $0.125 = 1/8 = 8^{-1}$
- 19.  $Log_2(1/16) = -4$  20.  $Log_5 \sqrt{5} = 1/2$ 
   $1/16 = 1/2^4 = 2^{-4}$   $\sqrt{5} = 5^{(1/2)}$

- 15.  $Log_2 32 = 5$  16.  $Log_3 (1/9) = -2$ 
   $32 = 2^5$   $1/9 = 1/3^2 = 3^{-2}$
- 17.  $\log_9 3 = 1/2$   $3 = \sqrt{9} = 9^{(1/2)}$ 18.  $\log_8 0.125 = -1$  $0.125 = 1/8 = 8^{-1}$
- 19.  $Log_2(1/16) = \__4$  20.  $Log_5 \sqrt{5} = \__{1/2}$ 
   $1/16 = 1/2^4 = 2^{-4}$   $\sqrt{5} = 5^{(1/2)}$

- 15.  $\log_2 32 = 5$   $32 = 2^5$ 16.  $\log_3(1/9) = -2$  $1/9 = 1/3^2 = 3^{-2}$
- 17.  $Log_9 3 = 1/2$  18.  $Log_8 0.125 = -1$ 
   $3 = \sqrt{9} = 9^{(1/2)}$   $0.125 = 1/8 = 8^{-1}$
- 19.  $\log_2(1/16) = \underline{-4}$   $1/16 = 1/2^4 = 2^{-4}$ 20.  $\log_5 \sqrt{5} = \underline{1/2}$  $\sqrt{5} = 5^{(1/2)}$

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

21. Log 1000 =\_\_\_\_ 22. Log 0.001 =\_\_\_\_

23. Log 60 =\_\_\_\_ 24. Log 0.3 =\_\_\_\_

25.  $\ln e^3 =$  26.  $\ln e^{-3} =$ 

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

 21. Log 1000 =\_\_\_\_
 22. Log 0.001 =\_\_\_\_

 23. Log 60 =\_\_\_\_
 24. Log 0.3 =\_\_\_\_

25.  $\ln e^3 =$ \_\_\_\_ 26.  $\ln e^{-3} =$ \_\_\_\_

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

 21.  $Log 1000 = \_____
 22. <math>Log 0.001 = \_____

 1000
 23. <math>Log 60 = \_____

 24. <math>Log 0.3 = \_____$ 

25.  $\ln e^3 =$ \_\_\_\_ 26.  $\ln e^{-3} =$ \_\_\_\_

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

 21. Log 1000 = 22. Log 0.001 = 

 1000 =
 23. Log 60 = 

 24. Log 0.3 = 

25.  $\ln e^3 =$ \_\_\_\_ 26.  $\ln e^{-3} =$ \_\_\_\_

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

 21.  $Log 1000 = \_____
 22. <math>Log 0.001 = \_____

 1000 = 10<sup>3</sup>
 24. <math>Log 0.3 = \_____$ 

25.  $\ln e^3 =$ \_\_\_\_ 26.  $\ln e^{-3} =$ \_\_\_\_

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

 21. Log 1000 = 3 22.  $Log 0.001 = ____

 <math>1000 = 10^3$  23.  $Log 60 = ____

 23. <math>Log 60 = ____
 24. <math>Log 0.3 = ____$ 

25.  $\ln e^3 =$ \_\_\_\_ 26.  $\ln e^{-3} =$ \_\_\_\_

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 23. <math>Log 60 = ____
 24. <math>Log 0.3 = ____$ 

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- 21. Log 1000 = 3 22.  $Log 0.001 = _____$
- 23. Log 60 =\_\_\_\_ 24. Log 0.3 =\_\_\_\_

25.  $\ln e^3 =$ \_\_\_\_\_ 26.  $\ln e^{-3} =$ \_\_\_\_\_

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

- 21. Log 1000 = 3 22.  $Log 0.001 = ____

   <math>1000 = 10^3$  0.001
- 23. Log 60 =\_\_\_\_ 24. Log 0.3 =\_\_\_\_

25.  $\ln e^3 =$ \_\_\_\_\_ 26.  $\ln e^{-3} =$ \_\_\_\_\_

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

- 21. Log 1000 = 3 22.  $Log 0.001 = ____

   <math>1000 = 10^3$  0.001 = \_\_\_\_
- 23. Log 60 =\_\_\_\_ 24. Log 0.3 =\_\_\_\_

25.  $\ln e^3 =$ \_\_\_\_\_ 26.  $\ln e^{-3} =$ \_\_\_\_\_

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

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   <math>1000 = 10^3$   $0.001 = 10^{-3}$
- 23. Log 60 =\_\_\_\_ 24. Log 0.3 =\_\_\_\_

25.  $\ln e^3 =$ \_\_\_\_ 26.  $\ln e^{-3} =$ \_\_\_\_

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

- 21. Log 1000 = 3 22. Log 0.001 = -3 

    $1000 = 10^3$   $0.001 = 10^{-3}$
- 23. Log 60 =\_\_\_\_ 24. Log 0.3 =\_\_\_\_

25.  $\ln e^3 =$ \_\_\_\_ 26.  $\ln e^{-3} =$ \_\_\_\_

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    $1000 = 10^3$   $0.001 = 10^{-3}$
- 23. Log 60 =\_\_\_\_ 24. Log 0.3 =\_\_\_\_

25.  $\ln e^3 =$  26.  $\ln e^{-3} =$ 

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

 21.  $\text{Log } 1000 = \underline{3}$  22.  $\text{Log } 0.001 = \underline{-3}$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\text{Log } 60 = \underline{\phantom{0}}$  24.  $\text{Log } 0.3 = \underline{\phantom{0}}$  

 25.  $\ln e^3 = \underline{\phantom{0}}$  26.  $\ln e^{-3} = \underline{\phantom{0}}$  

 27.  $\ln 60 =$  28.  $\ln 0.3 =$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21. Log 1000 = 3 22. Log 0.001 = -3 

  $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\text{Log } 60 = \_$  24.  $\text{Log } 0.3 = \_$  

 25.  $\ln e^3 = \_$  26.  $\ln e^{-3} = \_$  

 27.  $\ln 60 =$  28.  $\ln 0.3 =$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

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 21. Log 1000 = 3 22. Log 0.001 = -3 

  $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $Log 60 \approx 1.8$  24.  $Log 0.3 = _____

 Use a calculator.
 26. <math>\ln e^{-3} = _____$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21.  $\text{Log } 1000 = \underline{3}$  22.  $\text{Log } 0.001 = \underline{-3}$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\text{Log } 60 \approx \underline{1.8}$  24.  $\text{Log } 0.3 = \underline{-}$  

 25.  $\ln e^3 = \underline{-}$  26.  $\ln e^{-3} = \underline{-}$  

 27.  $\ln 60 =$  28.  $\ln 0.3 =$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21.  $\log 1000 = 3$  22.  $\log 0.001 = -3$  

 1000 = 10<sup>3</sup>
 0.001 = 10<sup>-3</sup>

 23.  $\log 60 \approx 1.8$  24.  $\log 0.3 = _____

 60
 25. <math>\ln e^3 = _____

 25. <math>\ln e^3 = _____
 26. <math>\ln e^{-3} = _____

 27. <math>\ln 60 = _____
 28. <math>\ln 0.3 = _____$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21.  $\log 1000 = 3$  22.  $\log 0.001 = -3$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\log 60 \approx 1.8$  24.  $\log 0.3 = _____

 <math>60 \approx$  26.  $\ln e^{-3} = _____

 25. <math>\ln e^3 = _____
 26. <math>\ln e^{-3} = _____

 27. <math>\ln 60 =$  28.  $\ln 0.3 =$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21.  $\log 1000 = 3$  22.  $\log 0.001 = -3$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\log 60 \approx 1.8$  24.  $\log 0.3 = _____

 <math>60 \approx 10^{1.8}$  26.  $\ln e^{-3} = _____$ 

27. 
$$\ln 60 =$$
\_\_\_\_ 28.  $\ln 0.3 =$ \_\_\_\_

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

 21.  $\text{Log } 1000 = \underline{3}$  22.  $\text{Log } 0.001 = \underline{-3}$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\text{Log } 60 \approx \underline{1.8}$  24.  $\text{Log } 0.3 = \underline{-}$ 
 $60 \approx 10^{1.8}$  26.  $\ln e^{-3} = \underline{-}$ 

27. 
$$\ln 60 =$$
\_\_\_\_ 28.  $\ln 0.3 =$ \_\_\_\_

**Evaluate each of the following. Express irrational answers rounded to the nearest tenth.** 

 21. Log 1000 = \_3 \_\_\_\_\_
 22. Log 0.001 = \_-3 \_\_\_\_\_

 1000 = 10<sup>3</sup>
 0.001 = 10<sup>-3</sup>

 23. Log 60  $\approx$  \_1.8 \_\_\_\_\_
 24. Log 0.3 = \_\_\_\_\_\_

 60  $\approx$  10<sup>1.8</sup>
 26. ln e<sup>-3</sup> = \_\_\_\_\_

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21. Log 1000 = \_3 \_\_\_\_\_
 22. Log 0.001 = \_-3 \_\_\_\_\_

 1000 = 10<sup>3</sup>
 0.001 = 10<sup>-3</sup>

 23. Log 60  $\approx$  \_1.8 \_\_\_\_\_
 24. Log 0.3 = \_\_\_\_\_\_

 60  $\approx$  10<sup>1.8</sup>
 26. ln e<sup>-3</sup> = \_\_\_\_\_

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21.  $\text{Log } 1000 = \underline{3}$  22.  $\text{Log } 0.001 = \underline{-3}$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\text{Log } 60 \approx \underline{1.8}$  24.  $\text{Log } 0.3 = \underline{-1}$ 
 $60 \approx 10^{1.8}$  24.  $\text{Log } 0.3 = \underline{-1}$  

 25.  $\ln e^3 =$  26.  $\ln e^{-3} =$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21.  $\text{Log } 1000 = \underline{3}$  22.  $\text{Log } 0.001 = \underline{-3}$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\text{Log } 60 \approx \underline{1.8}$  24.  $\text{Log } 0.3 \approx \underline{-0.5}$ 
 $60 \approx 10^{1.8}$  Use a calculator.

 25.  $\ln e^3 =$  26.  $\ln e^{-3} =$
**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

21.  $\log 1000 = 3$   $1000 = 10^{3}$ 22.  $\log 0.001 = -3$   $0.001 = 10^{-3}$ 23.  $\log 60 \approx 1.8$   $60 \approx 10^{1.8}$ 24.  $\log 0.3 \approx -0.5$   $60 \approx 10^{1.8}$ 25.  $\ln e^{3} = 26$  $\ln e^{-3} = 26$ 

27.  $\ln 60 =$  28.  $\ln 0.3 =$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21. Log 1000 = 3 22. Log 0.001 = -3 

  $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $Log 60 \approx 1.8$  24.  $Log 0.3 \approx -0.5$ 
 $60 \approx 10^{1.8}$  0.3 

 25.  $\ln e^3 = 5$  26.  $\ln e^{-3} = 5$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21. Log 1000 = 3 22. Log 0.001 = -3 

  $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $Log 60 \approx 1.8$  24.  $Log 0.3 \approx -0.5$ 
 $60 \approx 10^{1.8}$   $0.3 \approx$  

 25.  $\ln e^3 = 26$  26.  $\ln e^{-3} = 26$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21.  $\text{Log } 1000 = \underline{3}$  22.  $\text{Log } 0.001 = \underline{-3}$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\text{Log } 60 \approx \underline{1.8}$  24.  $\text{Log } 0.3 \approx \underline{-0.5}$ 
 $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

 25.  $\ln e^3 = \underline{\phantom{0}}$  26.  $\ln e^{-3} = \underline{\phantom{0}}$ 

**Evaluate each of the following. Express irrational answers rounded to the nearest tenth.** 

 21. Log 1000 = 3 22. Log 0.001 = -3 

  $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $Log 60 \approx 1.8$  24.  $Log 0.3 \approx -0.5$ 
 $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

 25.  $\ln e^3 =$  26.  $\ln e^{-3} =$ 

**Evaluate each of the following. Express irrational answers rounded to the nearest tenth.** 

 21.  $\log 1000 = 3$  22.  $\log 0.001 = -3$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\log 60 \approx 1.8$  24.  $\log 0.3 \approx -0.5$ 
 $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

 25.  $\ln e^3 = 26$   $\ln e^{-3} = 26$  

 27.  $\ln 60 = 28$   $\ln 0.3 = 28$ 

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

21. Log $1000 = 3$	22. $Log 0.001 = -3$
$1000 = 10^3$	$0.001 = 10^{-3}$
23. Log 60 ≈ <u>1.8</u>	24. Log 0.3 ≈ <u>-0.5</u>
$60 pprox 10^{1.8}$	$0.3 \approx 10^{-0.5}$
25. $\ln e^3 = 3$	26. $\ln e^{-3} =$
27. $\ln 60 =$	28. $\ln 0.3 =$

Evaluate each of the following. Express irrational answers rounded to the nearest tenth.

21. Log $1000 = 3$	22. $Log 0.001 = -3$
$1000 = 10^3$	$0.001 = 10^{-3}$
23. Log 60 ≈ <u>1.8</u>	24. Log 0.3 ≈ <u>-0.5</u>
$60 pprox 10^{1.8}$	$0.3 pprox 10^{-0.5}$
25. $\ln e^3 = 3$	26. $\ln e^{-3} = $
27. $\ln 60 =$	28. $\ln 0.3 =$

**Evaluate each of the following. Express irrational answers rounded to the nearest tenth.** 

 21.  $\log 1000 = 3$  22.  $\log 0.001 = -3$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\log 60 \approx 1.8$  24.  $\log 0.3 \approx -0.5$ 
 $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

 25.  $\ln e^3 = 3$  26.  $\ln e^{-3} = -$  

 27.  $\ln 60 = -$  28.  $\ln 0.3 = -$ 

**Evaluate each of the following. Express irrational answers rounded to the nearest tenth.** 

 21.  $\log 1000 = 3$  22.  $\log 0.001 = -3$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\log 60 \approx 1.8$  24.  $\log 0.3 \approx -0.5$ 
 $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

 25.  $\ln e^3 = 3$  26.  $\ln e^{-3} = -3$  

 27.  $\ln 60 = 28. \ln 0.3 = 5$ 

**Evaluate each of the following. Express irrational answers rounded to the nearest tenth.** 

 21.  $\log 1000 = 3$  22.  $\log 0.001 = -3$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\log 60 \approx 1.8$  24.  $\log 0.3 \approx -0.5$ 
 $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

 25.  $\ln e^3 = 3$  26.  $\ln e^{-3} = -3$  

 27.  $\ln 60 =$  28.  $\ln 0.3 =$ 

**Evaluate each of the following. Express irrational answers rounded to the nearest tenth.** 

 21. Log 1000 = \_3
 22. Log 0.001 = \_3

 1000 = 10<sup>3</sup>
 0.001 = 10<sup>-3</sup>

 23. Log 60  $\approx$  \_1.8
 24. Log 0.3  $\approx$  \_0.5

 60  $\approx$  10<sup>1.8</sup>
 0.3  $\approx$  10<sup>-0.5</sup>

 25. ln e<sup>3</sup> = \_3
 26. ln e<sup>-3</sup> = \_3

27.  $\ln 60 =$ 

28. 
$$\ln 0.3 =$$
 \_\_\_\_\_

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21.  $\text{Log } 1000 = \underline{3}$  22.  $\text{Log } 0.001 = \underline{-3}$ 
 $1000 = 10^3$   $0.001 = 10^{-3}$  

 23.  $\text{Log } 60 \approx \underline{1.8}$  24.  $\text{Log } 0.3 \approx \underline{-0.5}$ 
 $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

 25.  $\ln e^3 = \underline{3}$  26.  $\ln e^{-3} = \underline{-3}$ 

27.  $\ln 60 =$ 

28. 
$$\ln 0.3 =$$
 \_\_\_\_\_

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

- 21. Log 1000 = 322. Log 0.001 = -3 $1000 = 10^3$  $0.001 = 10^{-3}$ 23. Log 60 ≈ 1.8 24. Log 0.3 ≈ -0.5  $60 \approx 10^{1.8}$  $0.3 \approx 10^{-0.5}$ 25.  $\ln e^3 = 3$ 26.  $\ln e^{-3} = -3$ 27.  $\ln 60 =$ 
  - Use a calculator.

28. 
$$\ln 0.3 =$$
 \_\_\_\_\_

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

- 21.  $\log 1000 = 3$  22.  $\log 0.001 = -3$ 
   $1000 = 10^3$   $0.001 = 10^{-3}$  

   23.  $\log 60 \approx 1.8$  24.  $\log 0.3 \approx -0.5$ 
   $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

   25.  $\ln e^3 = 3$  26.  $\ln e^{-3} = -3$
- 27. In 60 ≈ <u>4.1</u>
  Use a calculator.

$$28. \quad \ln 0.3 = \_$$

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

 21. Log 1000 = 3 22. Log 0.001 = -3 

  $1000 = 10^3$   $0.001 = 10^{-3}$  

 23. Log  $60 \approx 1.8$  24. Log  $0.3 \approx -0.5$ 
 $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

 25. ln  $e^3 = 3$  26. ln  $e^{-3} = -3$ 

27.  $\ln 60 \approx 4.1$ 

28. 
$$\ln 0.3 =$$
 \_\_\_\_\_

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

21. Log 1000 = 322. Log 0.001 = -3 $1000 = 10^3$  $0.001 = 10^{-3}$ 23. Log 60 ≈ 1.8 24. Log 0.3 ≈ -0.5  $60 \approx 10^{1.8}$  $0.3 \approx 10^{-0.5}$ 25.  $\ln e^3 = 3$ 26.  $\ln e^{-3} = -3$ 27.  $\ln 60 \approx 4.1$ 28.  $\ln 0.3 =$ **60** 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

21. Log 1000 = 322. Log 0.001 = -3 $1000 = 10^3$  $0.001 = 10^{-3}$ 23. Log 60 ≈ 1.8 24. Log 0.3 ≈ -0.5  $60 \approx 10^{1.8}$  $0.3 \approx 10^{-0.5}$ 25.  $\ln e^3 = 3$ 26.  $\ln e^{-3} = -3$ 27.  $\ln 60 \approx 4.1$ 28.  $\ln 0.3 =$ 60 ≈

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

21. Log 1000 = 322. Log 0.001 = -3 $1000 = 10^3$  $0.001 = 10^{-3}$ 23. Log 60 ≈ 1.8 24. Log 0.3 ≈ -0.5  $60 \approx 10^{1.8}$  $0.3 \approx 10^{-0.5}$ 25.  $\ln e^3 = 3$ 26.  $\ln e^{-3} = -3$ 27.  $\ln 60 \approx 4.1$ 28.  $\ln 0.3 =$  $60 \approx e^{4.1}$ 

**Evaluate each of the following. Express irrational answers rounded to the nearest tenth.** 

21. Log 1000 = 322. Log 0.001 = -3 $1000 = 10^3$  $0.001 = 10^{-3}$ 23. Log 60 ≈ 1.8 24. Log 0.3 ≈ -0.5  $60 \approx 10^{1.8}$  $0.3 \approx 10^{-0.5}$ 25.  $\ln e^3 = 3$ 26.  $\ln e^{-3} = -3$ ln 60 ≈ <u>4.1</u> 28.  $\ln 0.3 =$ 27.  $60 \approx e^{4.1}$ 

**Evaluate each of the following. Express irrational answers rounded to the nearest tenth.** 

- 21.  $\text{Log } 1000 = \underline{3}$  22.  $\text{Log } 0.001 = \underline{-3}$ 
   $1000 = 10^3$   $0.001 = 10^{-3}$  

   23.  $\text{Log } 60 \approx \underline{1.8}$  24.  $\text{Log } 0.3 \approx \underline{-0.5}$ 
   $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

   25.  $\ln e^3 = \underline{3}$  26.  $\ln e^{-3} = \underline{-3}$  

   27.  $\ln 60 \approx \underline{4.1}$  28.  $\ln 0.3 = \underline{-3}$ 
  - $60 \approx e^{4.1}$

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

- 21.  $\log 1000 = 3$  22.  $\log 0.001 = -3$ 
   $1000 = 10^3$   $0.001 = 10^{-3}$  

   23.  $\log 60 \approx 1.8$  24.  $\log 0.3 \approx -0.5$ 
   $60 \approx 10^{1.8}$   $0.3 \approx 10^{-0.5}$  

   25.  $\ln e^3 = 3$  26.  $\ln e^{-3} = -3$
- 27.  $\ln 60 \approx 4.1$  28.  $\ln 0.3 =$ \_\_\_\_

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

21. Log 1000 = 322. Log 0.001 = -3 $1000 = 10^3$  $0.001 = 10^{-3}$ 23. Log 60 ≈ 1.8 24. Log 0.3 ≈ -0.5  $60 \approx 10^{1.8}$  $0.3 \approx 10^{-0.5}$ 25.  $\ln e^3 = 3$ 26.  $\ln e^{-3} = -3$ 27.  $\ln 60 \approx 4.1$ 28.  $\ln 0.3 =$  $60 \approx e^{4.1}$ Use a calculator.

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

21. Log 1000 = 322. Log 0.001 = -3 $1000 = 10^3$  $0.001 = 10^{-3}$ 23. Log 60 ≈ 1.8 24. Log 0.3 ≈ -0.5  $60 \approx 10^{1.8}$  $0.3 \approx 10^{-0.5}$ 25.  $\ln e^3 = 3$ 26.  $\ln e^{-3} = -3$ 27.  $\ln 60 \approx 4.1$ 28.  $\ln 0.3 \approx -1.2$  $60 \approx e^{4.1}$ Use a calculator.

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

21. Log 1000 = 322. Log 0.001 = -3 $1000 = 10^3$  $0.001 = 10^{-3}$ 23. Log 60 ≈ 1.8 24. Log 0.3 ≈ -0.5  $60 \approx 10^{1.8}$  $0.3 \approx 10^{-0.5}$ 25.  $\ln e^3 = 3$ 26.  $\ln e^{-3} = -3$ 27.  $\ln 60 \approx 4.1$ 28.  $\ln 0.3 \approx -1.2$  $60 \approx e^{4.1}$ 

**Evaluate each of the following.** Express irrational answers rounded to the nearest tenth.

21. Log 1000 = 322. Log 0.001 = -3 $1000 = 10^3$  $0.001 = 10^{-3}$ 23. Log 60 ≈ 1.8 24. Log 0.3 ≈ -0.5  $60 \approx 10^{1.8}$  $0.3 \approx 10^{-0.5}$ 25.  $\ln e^3 = 3$ 26.  $\ln e^{-3} = -3$ 27.  $\ln 60 \approx 4.1$ 28.  $\ln 0.3 \approx -1.2$  $60 \approx e^{4.1}$ 0.3

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