

Algebra I Lesson #4 Unit 9
Class Worksheet #4
For Worksheets #5 - #8

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

- 1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?**

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first:

second:

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x

second: y

Algebra I Class Worksheet #4 Unit 9

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1. **The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?**

first: x

second: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

- The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?**

first: x **$x + y$**

second: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. **The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?**

first: x $x + y = 20$

second: y

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x **$x + y = 20$**

second: y

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first: x **$x + y = 20$**

second: y

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1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x **$x + y = 20$**

second: y **$x =$**

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x **$x + y = 20$**

second: y **$x = 3y - 4$**

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x $x + y = 20$

second: y $x = 3y - 4$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4)$
second: y	$x = 3y - 4$	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y$
second: y	$x = 3y - 4$	

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$
second: y	$x = 3y - 4$	

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$
second: y	$x = 3y - 4$	$4y$

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1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$
second: y	$x = 3y - 4$	$4y - 4$

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1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$
second: y	$x = 3y - 4$	$4y - 4 = 20$

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$
second: y	$x = 3y - 4$	$4y - 4 = 20$
		$4y$

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$
second: y	$x = 3y - 4$	$4y - 4 = 20$
		$4y = 24$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$
second: y	$x = 3y - 4$	$4y - 4 = 20$
		$4y = 24$
		$y = 6$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$	$x = 3y - 4$
second: y	$x = 3y - 4$	$4y - 4 = 20$	
		$4y = 24$	
		$y = 6$	

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$	$x = 3y - 4$
second: y	$x = 3y - 4$	$4y - 4 = 20$	$x =$
		$4y = 24$	
		$y = 6$	

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$	$x = 3y - 4$
second: y	$x = 3y - 4$	$4y - 4 = 20$	$x = 3(6) - 4$
		$4y = 24$	
		$y = 6$	

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$	$x = 3y - 4$
second: y	$x = 3y - 4$	$4y - 4 = 20$	$x = 3(6) - 4$
		$4y = 24$	$x =$
		$y = 6$	

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$	$x = 3y - 4$
second: y	$x = 3y - 4$	$4y - 4 = 20$	$x = 3(6) - 4$
		$4y = 24$	$x = 18 - 4$
		$y = 6$	

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$	$x = 3y - 4$
second: y	$x = 3y - 4$	$4y - 4 = 20$	$x = 3(6) - 4$
		$4y = 24$	$x = 18 - 4$
		$y = 6$	$x = 14$

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

1. The sum of two numbers is 20. The first number is 4 less than three times the second. What are the numbers?

first: x	$x + y = 20$	$(3y - 4) + y = 20$	$x = 3y - 4$
second: y	$x = 3y - 4$	$4y - 4 = 20$	$x = 3(6) - 4$
		$4y = 24$	$x = 18 - 4$
		$y = 6$	$x = 14$

The first number is 14, and the second number is 6.

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first:

second:

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x

second: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

2. **The sum of two numbers is 15. Their difference is 9.**

What are the numbers?

first: x

second: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

2. **The sum of two numbers is 15. Their difference is 9.**

What are the numbers?

first: x

$$x + y =$$

second: y

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

2. **The sum of two numbers is 15. Their difference is 9.**

What are the numbers?

first: x

$$x + y = 15$$

second: y

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2. The sum of two numbers is 15. Their difference is 9.

What are the numbers?

first: x

$$x + y = 15$$

second: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

2. The sum of two numbers is 15. Their difference is 9.

What are the numbers?

first: x

$$x + y = 15$$

second: y

$$x - y$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

2. The sum of two numbers is 15. Their difference is 9.

What are the numbers?

first: x

$$x + y = 15$$

second: y

$$x - y = 9$$

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x

$$x + y = 15$$

second: y

$$x - y = 9$$

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x

$$x + y = 15$$

second: y

$$\underline{x - y = 9}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x

$$x + y = 15$$

second: y

$$x - y = 9$$

$$2x$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x

$$x + y = 15$$

second: y

$$x - y = 9$$

$$2x = 24$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x

$$x + y = 15$$

second: y

$$x - y = 9$$

$$2x = 24$$

$$x = 12$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x	$x + y = 15$	$x + y = 15$
second: y	$x - y = 9$	
	<hr/>	
	$2x = 24$	
	$x = 12$	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x
second: y

$$x + y = 15$$

$$x - y = 9$$

$$2x = 24$$

$$x = 12$$

$$x + y = 15$$

$$12 + y$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x
second: y

$$x + y = 15$$

$$x - y = 9$$

$$2x = 24$$

$$x = 12$$

$$x + y = 15$$

$$12 + y = 15$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x
second: y

$$\begin{array}{r} x + y = 15 \\ x - y = 9 \\ \hline 2x = 24 \\ x = 12 \end{array}$$

$$\begin{array}{r} x + y = 15 \\ 12 + y = 15 \\ y = 3 \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

**2. The sum of two numbers is 15. Their difference is 9.
What are the numbers?**

first: x
second: y

$$\begin{array}{r} x + y = 15 \\ x - y = 9 \\ \hline 2x = 24 \\ x = 12 \end{array}$$

$$\begin{array}{r} x + y = 15 \\ 12 + y = 15 \\ y = 3 \end{array}$$

The numbers are 12 and 3.

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

dimes:

nickels:

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**number
of coins**

dimes:

nickels:

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3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

number
of coins

dimes: x

nickels: y

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number
of coins

dimes: x

nickels: y

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3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins
dimes:	x
nickels:	y
total	_____

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3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins
dimes:	x
nickels:	y
total	<hr/> 40

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	$x + y$
dimes:	x	
nickels:	y	
total	<u>40</u>	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	$x + y = 40$
dimes:	x	
nickels:	y	
total	<hr/> 40	

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3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	$x + y = 40$
dimes:	x	
nickels:	y	
total	<hr/> 40	

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins	
dimes:	x		$x + y = 40$
nickels:	y		
total	<u>40</u>		

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins	
dimes:	x	$10x¢$	$x + y = 40$
nickels:	y		
total	<u>40</u>		

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	$10x¢$
nickels:	y	$5y¢$
total	<u>40</u>	

$$x + y = 40$$

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3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	$10x¢$
nickels:	y	$5y¢$
total	<u>40</u>	

$$x + y = 40$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	$10x¢$
nickels:	y	$5y¢$
total	40	$320¢$

$$x + y = 40$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins	
dimes:	x	$10x¢$	$x + y = 40$
nickels:	y	$5y¢$	$10x + 5y$
total	40	$320¢$	

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	$10x\text{¢}$
nickels:	y	$5y\text{¢}$
total	40	320¢

$$\begin{aligned}x + y &= 40 \\10x + 5y &= 320\end{aligned}$$

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	10x¢
nickels:	y	5y¢
total	40	320¢

$$\begin{aligned}x + y &= 40 \\10x + 5y &= 320\end{aligned}$$

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3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins	
dimes:	x	$10x¢$	$x + y = 40$ $\xrightarrow{-5}$
nickels:	y	$5y¢$	$10x + 5y = 320$
total	40	$320¢$	

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins	
dimes:	x	10x¢	$x + y = 40$
nickels:	y	5y¢	$\xrightarrow{-5} -5x$
total	40	320¢	$10x + 5y = 320$

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	10x¢
nickels:	y	5y¢
total	40	320¢

$$\begin{array}{r} x + y = 40 \\ 10x + 5y = 320 \end{array} \xrightarrow{-5} -5x - 5y$$

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Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	10x¢
nickels:	y	5y¢
total	40	320¢

$$\begin{aligned}x + y &= 40 & \xrightarrow{-5} & -5x - 5y = -200 \\10x + 5y &= 320\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins		
dimes:	x	10x¢	$x + y = 40$	$\xrightarrow{-5}$ $-5x - 5y = -200$
nickels:	y	5y¢	$10x + 5y = 320$	$\xrightarrow{\quad}$
total	40	320¢		

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins		
dimes:	x	$10x\text{¢}$	$x + y = 40$	$\xrightarrow{-5}$ $-5x - 5y = -200$
nickels:	y	$5y\text{¢}$	$10x + 5y = 320$	$\xrightarrow{\quad}$ $10x + 5y = 320$
total	40	320¢		

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	10x¢
nickels:	y	5y¢
total	40	320¢

$$\begin{array}{rcl} x + y = 40 & \xrightarrow{-5} & -5x - 5y = -200 \\ 10x + 5y = 320 & \xrightarrow{\quad} & \underline{10x + 5y = 320} \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	10x¢
nickels:	y	5y¢
total	40	320¢

$$\begin{array}{r} x + y = 40 \quad \xrightarrow{-5} \quad -5x - 5y = -200 \\ 10x + 5y = 320 \quad \xrightarrow{\quad} \quad 10x + 5y = 320 \\ \hline \quad \quad \quad 5x \end{array}$$

Algebra I Class Worksheet #4 Unit 9

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3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	10x¢
nickels:	y	5y¢
total	40	320¢

$$\begin{array}{r} x + y = 40 \quad \xrightarrow{-5} \quad -5x - 5y = -200 \\ 10x + 5y = 320 \quad \xrightarrow{\quad} \quad 10x + 5y = 320 \\ \hline \qquad \qquad \qquad \qquad \qquad \qquad 5x = 120 \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	10x¢
nickels:	y	5y¢
total	40	320¢

$$\begin{array}{r} x + y = 40 \quad \xrightarrow{-5} \quad -5x - 5y = -200 \\ 10x + 5y = 320 \quad \xrightarrow{\quad} \quad 10x + 5y = 320 \\ \hline \quad \quad \quad 5x = 120 \\ \quad \quad \quad x = 24 \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins		
dimes:	x	10x¢	x + y = 40	$\xrightarrow{-5}$ -5x - 5y = -200
nickels:	y	5y¢	10x + 5y = 320	$\xrightarrow{\quad}$ 10x + 5y = 320
total	40	320¢		

5x = 120
x = 24
x + y = 40

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	10x¢
nickels:	y	5y¢
total	40	320¢

$$\begin{array}{r} x + y = 40 \quad \xrightarrow{-5} \quad -5x - 5y = -200 \\ 10x + 5y = 320 \quad \xrightarrow{\quad} \quad 10x + 5y = 320 \\ \hline 5x = 120 \\ x = 24 \\ x + y = 40 \\ 24 + y = 40 \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	10x¢
nickels:	y	5y¢
total	40	320¢

$$\begin{array}{r} x + y = 40 \quad \xrightarrow{-5} \quad -5x - 5y = -200 \\ 10x + 5y = 320 \quad \xrightarrow{\quad} \quad 10x + 5y = 320 \\ \hline 5x = 120 \\ x = 24 \\ x + y = 40 \\ 24 + y = 40 \\ y = 16 \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

3. A coin collection consists of ordinary dimes and nickels and is worth a total of \$3.20. If there are 40 coins in the collection, then how many coins of each type are there?

	number of coins	value of the coins
dimes:	x	$10x\text{¢}$
nickels:	y	$5y\text{¢}$
total	40	320¢

$$\begin{array}{r} x + y = 40 \quad \xrightarrow{-5} \quad -5x - 5y = -200 \\ 10x + 5y = 320 \quad \xrightarrow{\quad} \quad 10x + 5y = 320 \\ \hline 5x = 120 \\ x = 24 \\ x + y = 40 \\ 24 + y = 40 \\ y = 16 \end{array}$$

There are 24 dimes and 16 nickels.

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

dimes:

quarters:

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

**number
of coins**

dimes:

quarters:

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

number
of coins

dimes: x

quarters: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

number
of coins

dimes: x

quarters: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

number value of
of coins the coins

dimes: x

quarters: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins
--	--------------------	-----------------------

dimes:	x	$10x¢$
--------	-----	--------

quarters:	y	
-----------	-----	--

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters **is worth \$8.** The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total	<hr/>	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters **is worth \$8.** The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		$800¢$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

$$10x + 25y$$

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		<hr/> $800¢$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

$$10x + 25y = 800$$

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		$800¢$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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$$10x + 25y = 800$$

	number of coins	value of the coins
dimes:	x	10x¢
quarters:	y	25y¢
total		<hr/> 800¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

$$10x + 25y = 800$$

$$x =$$

	number of coins	value of the coins
dimes:	x	10x¢
quarters:	y	25y¢
total		<hr/> 800¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

$$10x + 25y = 800$$

$$x = 2y - 1$$

	number of coins	value of the coins
dimes:	x	10x¢
quarters:	y	25y¢
total		<hr/> 800¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

$$10x + 25y = 800$$

$$x = 2y - 1$$

	number of coins	value of the coins
dimes:	x	10x¢
quarters:	y	25y¢
total		<hr/> 800¢

Algebra I Class Worksheet #4 Unit 9

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4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

$$10x + 25y = 800$$

$$x = 2y - 1$$

	number of coins	value of the coins	
dimes:	x	10x¢	10¢
quarters:	y	25y¢	
total		<hr/> 800¢	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

$$10x + 25y = 800$$

$$x = 2y - 1$$

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		$800¢$

$$10(2y - 1)$$

Algebra I Class Worksheet #4 Unit 9

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4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

$$10x + 25y = 800$$

$$x = 2y - 1$$

	number of coins	value of the coins
dimes:	x	10x¢
quarters:	y	25y¢
total		<hr/> 800¢

$$10(2y - 1) + 25y$$

Algebra I Class Worksheet #4 Unit 9

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4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

$$10x + 25y = 800$$

$$x = 2y - 1$$

$$10(2y - 1) + 25y = 800$$

	number of coins	value of the coins
dimes:	x	10x¢
quarters:	y	25y¢
total		<hr/> 800¢

Algebra I Class Worksheet #4 Unit 9

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4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		$800¢$

$$10x + 25y = 800$$
$$x = 2y - 1$$
$$10(2y - 1) + 25y = 800$$
$$20y$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins	
dimes:	x	$10x¢$	$10x + 25y = 800$
quarters:	y	$25y¢$	$x = 2y - 1$
total		$800¢$	$10(2y - 1) + 25y = 800$
			$20y - 10$

Algebra I Class Worksheet #4 Unit 9

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4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		$800¢$

$$10x + 25y = 800$$
$$x = 2y - 1$$
$$10(2y - 1) + 25y = 800$$
$$20y - 10 + 25y$$

Algebra I Class Worksheet #4 Unit 9

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$$10x + 25y = 800$$

$$x = 2y - 1$$

	number of coins	value of the coins
dimes:	x	10x¢
quarters:	y	25y¢
total		<hr/> 800¢

$$10(2y - 1) + 25y = 800$$

$$20y - 10 + 25y = 800$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins	
dimes:	x	$10x¢$	$10x + 25y = 800$
quarters:	y	$25y¢$	$x = 2y - 1$
total		$800¢$	$10(2y - 1) + 25y = 800$
			$20y - 10 + 25y = 800$
			$45y$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		$800¢$

$$10x + 25y = 800$$
$$x = 2y - 1$$
$$10(2y - 1) + 25y = 800$$
$$20y - 10 + 25y = 800$$
$$45y - 10$$

Algebra I Class Worksheet #4 Unit 9

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	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		$800¢$

$$10x + 25y = 800$$
$$x = 2y - 1$$
$$10(2y - 1) + 25y = 800$$
$$20y - 10 + 25y = 800$$
$$45y - 10 = 800$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		$800¢$

$$10x + 25y = 800$$
$$x = 2y - 1$$
$$10(2y - 1) + 25y = 800$$
$$20y - 10 + 25y = 800$$
$$45y - 10 = 800$$
$$45y$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		$800¢$

$$10x + 25y = 800$$
$$x = 2y - 1$$
$$10(2y - 1) + 25y = 800$$
$$20y - 10 + 25y = 800$$
$$45y - 10 = 800$$
$$45y = 810$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins
dimes:	x	$10x¢$
quarters:	y	$25y¢$
total		$800¢$

$$10x + 25y = 800$$
$$x = 2y - 1$$
$$10(2y - 1) + 25y = 800$$
$$20y - 10 + 25y = 800$$
$$45y - 10 = 800$$
$$45y = 810$$
$$y = 18$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins		
dimes:	x	10x¢		
quarters:	y	25y¢		
total		800¢		

$$10x + 25y = 800$$
$$x = 2y - 1$$
$$10(2y - 1) + 25y = 800$$
$$20y - 10 + 25y = 800$$
$$45y - 10 = 800$$
$$45y = 810$$
$$y = 18$$
$$x = 2y - 1$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins		
dimes:	x	10x¢	$10x + 25y = 800$	
quarters:	y	25y¢	$x = 2y - 1$	
total		800¢	$10(2y - 1) + 25y = 800$	$x = 2y - 1$
			$20y - 10 + 25y = 800$	$x =$
			$45y - 10 = 800$	
			$45y = 810$	
			$y = 18$	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins		
dimes:	x	10x¢		
quarters:	y	25y¢		
total		800¢		

$$10x + 25y = 800$$
$$x = 2y - 1$$
$$10(2y - 1) + 25y = 800$$
$$20y - 10 + 25y = 800$$
$$45y - 10 = 800$$
$$45y = 810$$
$$y = 18$$
$$x = 2y - 1$$
$$x = 2(18) - 1$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins		
dimes:	x	$10x¢$	$10x + 25y = 800$	
quarters:	y	$25y¢$	$x = 2y - 1$	
total		$800¢$	$10(2y - 1) + 25y = 800$	$x = 2y - 1$
			$20y - 10 + 25y = 800$	$x = 2(18) - 1$
			$45y - 10 = 800$	$x = 35$
			$45y = 810$	
			$y = 18$	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

4. A collection of ordinary dimes and quarters is worth \$8. The number of dimes is one less than two times the number of quarters. How many coins of each type are in the collection?

	number of coins	value of the coins		
dimes:	x	10x¢	$10x + 25y = 800$	
quarters:	y	25y¢	$x = 2y - 1$	
total		800¢	$10(2y - 1) + 25y = 800$	$x = 2y - 1$
			$20y - 10 + 25y = 800$	$x = 2(18) - 1$
			$45y - 10 = 800$	$x = 35$
			$45y = 810$	
			$y = 18$	

There are 35 dimes and 18 quarters.

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill:

Sue:

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: **x**

Sue: **y**

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: **x**

Sue: **y**

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: **x**

Sue: **y**

total

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill:	x
Sue:	<u>y</u>
total	1000

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: x $x + y$

Sue: y

total **1000**

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill:	x	$x + y = 1000$
Sue:	<u>y</u>	
total	1000	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill:	x	$x + y = 1000$
Sue:	<u>y</u>	
total	1000	

Algebra I Class Worksheet #4 Unit 9

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Bill:	x	$x + y = 1000$
Sue:	<u>y</u>	y =
total	1000	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill:	x	$x + y = 1000$
Sue:	<u>y</u>	$y = 4x + 25$
total	1000	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill:	x	$x + y = 1000$
Sue:	<u>y</u>	$y = 4x + 25$
total	1000	

Algebra I Class Worksheet #4 Unit 9

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Bill:	x	$x + y = 1000$
Sue:	<u>y</u>	$y = 4x + 25$
total	1000	x +

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill:	x	$x + y = 1000$
Sue:	<u>y</u>	$y = 4x + 25$
total	1000	$x + (4x + 25)$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill:	x	$x + y = 1000$
Sue:	<u>y</u>	$y = 4x + 25$
total	1000	$x + (4x + 25) = 1000$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: x $x + y = 1000$

Sue: y $y = 4x + 25$

total 1000

$$x + (4x + 25) = 1000$$

$$5x$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: x $x + y = 1000$

Sue: y $y = 4x + 25$

total 1000

$$x + (4x + 25) = 1000$$

$$5x + 25$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: x $x + y = 1000$

Sue: y $y = 4x + 25$

total 1000

$$x + (4x + 25) = 1000$$

$$5x + 25 = 1000$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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Bill: x $x + y = 1000$

Sue: y $y = 4x + 25$

total 1000

$$x + (4x + 25) = 1000$$

$$5x + 25 = 1000$$

$$5x$$

Algebra I Class Worksheet #4 Unit 9

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5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: x $x + y = 1000$

Sue: y $y = 4x + 25$

total 1000

$$x + (4x + 25) = 1000$$

$$5x + 25 = 1000$$

$$5x = 975$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: x $x + y = 1000$

Sue: y $y = 4x + 25$

total 1000

$$x + (4x + 25) = 1000$$

$$5x + 25 = 1000$$

$$5x = 975$$

$$x = 195$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: x $x + y = 1000$

Sue: y $y = 4x + 25$

total 1000

$$x + (4x + 25) = 1000$$

$$y = 4x + 25$$

$$5x + 25 = 1000$$

$$5x = 975$$

$$x = 195$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill:	x	$x + y = 1000$	
Sue:	<u>y</u>	$y = 4x + 25$	
total	1000	$x + (4x + 25) = 1000$	$y = 4x + 25$
		$5x + 25 = 1000$	y =
		$5x = 975$	
		$x = 195$	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: x $x + y = 1000$

Sue: y $y = 4x + 25$

total 1000

$$x + (4x + 25) = 1000$$

$$5x + 25 = 1000$$

$$5x = 975$$

$$x = 195$$

$$y = 4x + 25$$

$$y = 4(195) + 25$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: x $x + y = 1000$

Sue: y $y = 4x + 25$

total 1000

$$x + (4x + 25) = 1000$$

$$5x + 25 = 1000$$

$$5x = 975$$

$$x = 195$$

$$y = 4x + 25$$

$$y = 4(195) + 25$$

$$y = 805$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

5. Bill and Sue earned a total of \$1000. If Sue earned \$25 more than 4 times the amount earned by Tom, then how much did each person earn?

Bill: x $x + y = 1000$

Sue: y $y = 4x + 25$

total 1000

$$x + (4x + 25) = 1000$$

$$5x + 25 = 1000$$

$$5x = 975$$

$$x = 195$$

$$y = 4x + 25$$

$$y = 4(195) + 25$$

$$y = 805$$

**Bill earned \$195, and
Sue earned \$805.**

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

brand A:

brand B:

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

number
of pounds

brand A:

brand B:

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

number
of pounds

brand A: x

brand B: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

number
of pounds

brand A: x

brand B: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

number
of pounds

brand A: x

brand B: y

mixture: _____

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

number
of pounds

brand A: x

brand B: y

mixture: 50

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

number
of pounds

$x + y$

brand A: x

brand B: y

mixture: 50

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

number
of pounds

$$x + y = 50$$

brand A: x

brand B: y

mixture: 50

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

number
of pounds

$$x + y = 50$$

brand A: x

brand B: y

mixture: 50

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

number value per
of pounds pound

$$x + y = 50$$

brand A: x

brand B: y

mixture: 50

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

$$x + y = 50$$

number value per
of pounds pound

brand A: x $150¢$

brand B: y

mixture: 50

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

$$x + y = 50$$

	number	value per
	of pounds	pound

brand A:	x	150¢
----------	---	------

brand B:	y	180¢
----------	---	------

mixture:	50	
----------	----	--

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

$$x + y = 50$$

number value per
of pounds pound

brand A: x 150¢

brand B: y 180¢

mixture: 50

Algebra I Class Worksheet #4 Unit 9

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6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

$$x + y = 50$$

	number of pounds	value per pound
brand A:	x	150¢
brand B:	y	180¢
mixture:	<u>50</u>	159¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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$$x + y = 50$$

	number of pounds	value per pound
brand A:	x	150¢
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mixture:	<u>50</u>	159¢

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$$x + y = 50$$

	number of pounds	value per pound	total value
brand A:	x	150¢	
brand B:	y	180¢	
mixture:	<u>50</u>	159¢	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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	number of pounds	value per pound	total value	$x + y = 50$
brand A:	x	150¢	$150x$ ¢	
brand B:	y	180¢		
mixture:	<u>50</u>	159¢		

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$$x + y = 50$$

	number of pounds	value per pound	total value
brand A:	x	150¢	$150x$ ¢
brand B:	y	180¢	$180y$ ¢
mixture:	<u>50</u>	159¢	

Algebra I Class Worksheet #4 Unit 9

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$$x + y = 50$$

	number of pounds	value per pound	total value
brand A:	x	150¢	$150x$ ¢
brand B:	y	180¢	$180y$ ¢
mixture:	<u>50</u>	159¢	<u>7950</u> ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value	
brand A:	x	150¢	$150x$ ¢	$x + y = 50$
brand B:	y	180¢	$180y$ ¢	$150x + 180y$
mixture:	<u>50</u>	159¢	<u>7950</u> ¢	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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	number of pounds	value per pound	total value	
brand A:	x	150¢	$150x$ ¢	$x + y = 50$
brand B:	y	180¢	$180y$ ¢	$150x + 180y = 7950$
mixture:	<u>50</u>	159¢	<u>7950</u> ¢	


Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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	number of pounds	value per pound	total value
brand A:	x	150¢	$150x$ ¢
brand B:	y	180¢	$180y$ ¢
<hr/>			
mixture:	50	159¢	7950 ¢

$$x + y = 50$$


$$150x + 180y = 7950$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

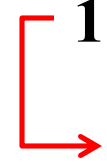
	number of pounds	value per pound	total value	
brand A:	x	150¢	$150x$ ¢	$x + y = 50$
brand B:	y	180¢	$180y$ ¢	$150x + 180y = 7950$
<u>mixture:</u>	<u>50</u>	<u>159¢</u>	<u>7950¢</u>	$15x$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A:	x	150¢	$150x$ ¢
brand B:	y	180¢	$180y$ ¢
<hr/>			
mixture:	50	159¢	7950 ¢

$$\begin{aligned}x + y &= 50 \\150x + 180y &= 7950\end{aligned}$$

$$15x + 18y$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A:	x	150¢	$150x$ ¢
brand B:	y	180¢	$180y$ ¢
<hr/>			
mixture:	50	159¢	7950 ¢

$$x + y = 50$$


$$150x + 180y = 7950$$

$$15x + 18y = 795$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value	
brand A:	x	150¢	$150x$ ¢	$x + y = 50$
brand B:	y	180¢	$180y$ ¢	$150x + 180y = 7950$
mixture:	<u>50</u>	159¢	<u>7950</u> ¢	$15x + 18y = 795$

Algebra I Class Worksheet #4 Unit 9

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6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A:	x	150¢	$150x$ ¢
brand B:	y	180¢	$180y$ ¢
<hr/>			
mixture:	50	159¢	7950¢

$$\begin{array}{r} -15 \\ \hline x + y = 50 \\ 150x + 180y = 7950 \\ \hline 15x + 18y = 795 \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A: x		150¢	150 x ¢
brand B: y		180¢	180 y ¢
	<hr/>		<hr/>
mixture: 50		159¢	7950¢

$$\begin{array}{r} -15 \\ \hline x + y = 50 \\ 150x + 180y = 7950 \\ 15x + 18y = 795 \\ -15x \end{array}$$

Algebra I Class Worksheet #4 Unit 9

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6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A: x		150¢	150x¢
brand B: y		180¢	180y¢
	<hr/>		<hr/>
mixture: 50		159¢	7950¢

$$\begin{array}{r} -15 \\ \hline x + y = 50 \\ 150x + 180y = 7950 \\ 15x + 18y = 795 \\ -15x - 15y \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A: x		150¢	150 x ¢
brand B: y		180¢	180 y ¢
	<hr/>		<hr/>
mixture: 50		159¢	7950¢

$$\begin{array}{r} -15 \\ \hline x + y = 50 \\ 150x + 180y = 7950 \\ 15x + 18y = 795 \\ -15x - 15y = -750 \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A:	x	150¢	$150x$ ¢
brand B:	y	180¢	$180y$ ¢
	<hr/>		<hr/>
mixture:	50	159¢	7950¢

$$\begin{aligned}x + y &= 50 \\150x + 180y &= 7950 \\15x + 18y &= 795 \\-15x - 15y &= -750\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A: x		150¢	150x¢
brand B: y		180¢	180y¢
	<hr/>		<hr/>
mixture: 50		159¢	7950¢

$$\begin{aligned}x + y &= 50 \\150x + 180y &= 7950 \\15x + 18y &= 795 \\-15x - 15y &= -750 \\ \hline\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A: x		150¢	150x¢
brand B: y		180¢	180y¢
	<hr/>		<hr/>
mixture: 50		159¢	7950¢

$$\begin{aligned}x + y &= 50 \\150x + 180y &= 7950 \\15x + 18y &= 795 \\-15x - 15y &= -750 \\ \hline &3y\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

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	number of pounds	value per pound	total value
brand A: x		150¢	150 x ¢
brand B: y		180¢	180 y ¢
	<hr/>		<hr/>
mixture: 50		159¢	7950¢

$$\begin{aligned}x + y &= 50 \\150x + 180y &= 7950 \\15x + 18y &= 795 \\-15x - 15y &= -750 \\ \hline 3y &= 45\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

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	number of pounds	value per pound	total value
brand A: x		150¢	150 x ¢
brand B: y		180¢	180 y ¢
	<hr/>		<hr/>
mixture: 50		159¢	7950¢

$$\begin{aligned}x + y &= 50 \\150x + 180y &= 7950 \\15x + 18y &= 795 \\-15x - 15y &= -750 \\ \hline 3y &= 45 \\ y &= 15\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

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	number of pounds	value per pound	total value
brand A: x		150¢	150 x ¢
brand B: y		180¢	180 y ¢
	<hr/>		<hr/>
mixture: 50		159¢	7950¢

$$\begin{aligned}x + y &= 50 \\150x + 180y &= 7950 \\15x + 18y &= 795 \\-15x - 15y &= -750 \\ \hline 3y &= 45 \\ y &= 15 \\ x + y &= 50\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A: x		150¢	150 x ¢
brand B: y		180¢	180 y ¢
	<hr/>		<hr/>
mixture: 50		159¢	7950¢

$$\begin{aligned}x + y &= 50 \\150x + 180y &= 7950\end{aligned}$$

$$\begin{aligned}15x + 18y &= 795 \\-15x - 15y &= -750\end{aligned}$$

$$3y = 45$$

$$y = 15$$

$$x + y = 50$$

$$x + 15 = 50$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A: x		150¢	150 x ¢
brand B: y		180¢	180 y ¢
	<hr/>		<hr/>
mixture: 50		159¢	7950¢

$$\begin{aligned}x + y &= 50 \\150x + 180y &= 7950\end{aligned}$$

$$\begin{aligned}15x + 18y &= 795 \\-15x - 15y &= -750\end{aligned}$$

$$3y = 45$$

$$y = 15$$

$$x + y = 50$$

$$x + 15 = 50$$

$$x = 35$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

6. Coffee worth \$1.50 per pound is mixed with coffee worth \$1.80 per pound to produce a 50 pound blend worth \$1.59 per pound. How many pounds of each type of coffee is used?

	number of pounds	value per pound	total value
brand A: x		150¢	150 x ¢
brand B: y		180¢	180 y ¢
<hr/>	<hr/>	<hr/>	<hr/>
mixture: 50		159¢	7950¢

**Use 35 pounds @ \$1.50 per pound
and 15 pounds @ \$1.80 per pound.**

$$x + y = 50$$
$$150x + 180y = 7950$$

$$15x + 18y = 795$$
$$\underline{-15x - 15y = -750}$$

$$3y = 45$$

$$y = 15$$

$$x + y = 50$$

$$x + 15 = 50$$

$$x = 35$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person:

Second person:

Algebra I Class Worksheet #4 Unit 9

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First person: x

Second person: y

Algebra I Class Worksheet #4 Unit 9

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7. **\$200 is to be divided between two people** so that one receives **\$25 less than four times what the other receives**. How much will each person receive?

First person: x

Second person: y

Algebra I Class Worksheet #4 Unit 9

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7. **\$200 is to be divided between two people** so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x

Second person: y

total

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. **\$200 is to be divided between two people** so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x

Second person: y
total 200

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. **\$200 is to be divided between two people** so that one receives \$25 less than four times what the other receives. How much will each person receive?

$$x + y$$

First person: x

Second person: y
total 200

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. **\$200 is to be divided between two people** so that one receives \$25 less than four times what the other receives. How much will each person receive?

$$x + y = 200$$

First person: x

Second person: y
total 200

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that **one receives \$25 less than four times what the other receives**. How much will each person receive?

$$x + y = 200$$

First person: x

Second person: y
total 200

Algebra I Class Worksheet #4 Unit 9

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7. \$200 is to be divided between two people so that **one receives \$25 less than four times what the other receives**. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y =$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that **one receives \$25 less than four times what the other receives**. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

$$x + y = 200$$

$$y = 4x - 25$$

First person: x

Second person: y

total 200

Algebra I Class Worksheet #4 Unit 9

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7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

$$x + y = 200$$

$$y = 4x - 25$$

First person: x

Second person: y

total	<u>200</u>	$x +$
-------	------------	-------

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

$$x + y = 200$$

$$y = 4x - 25$$

First person: x

Second person: y

total 200

$$x + (4x - 25)$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

$$x + y = 200$$

$$y = 4x - 25$$

First person: x

Second person: y

total 200

$$x + (4x - 25) = 200$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x - 25$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x - 25 = 200$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x - 25 = 200$$

$$5x$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x - 25 = 200$$

$$5x = 225$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x - 25 = 200$$

$$5x = 225$$

$$x = 45$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x - 25 = 200$$

$$5x = 225$$

$$x = 45$$

$$y = 4x - 25$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x - 25 = 200$$

$$5x = 225$$

$$x = 45$$

$$y = 4x - 25$$

$$y =$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x - 25 = 200$$

$$5x = 225$$

$$x = 45$$

$$y = 4x - 25$$

$$y = 4(45) - 25$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x - 25 = 200$$

$$5x = 225$$

$$x = 45$$

$$y = 4x - 25$$

$$y = 4(45) - 25$$

$$y = 155$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

7. \$200 is to be divided between two people so that one receives \$25 less than four times what the other receives. How much will each person receive?

First person: x
Second person: y
total 200

$$x + y = 200$$

$$y = 4x - 25$$

$$x + (4x - 25) = 200$$

$$5x - 25 = 200$$

$$5x = 225$$

$$x = 45$$

$$y = 4x - 25$$

$$y = 4(45) - 25$$

$$y = 155$$

**One person received \$45,
and the other received \$155.**

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

first:

second:

Algebra I Class Worksheet #4 Unit 9

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8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

**amount
invested**

first:

second:

Algebra I Class Worksheet #4 Unit 9

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amount
invested

first: x

second: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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amount
invested

first: x

second: y

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary **invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?**

amount
invested

first: x

second: y

total

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

amount
invested

first: x

second: y

total
\$5000

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

amount
invested

$x + y$

first: x

second: y

total
\$5000

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

amount
invested

first: x

second: y

total $\underline{\hspace{1cm}}$
 $\$5000$

$$x + y = 5000$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

amount
invested

first: x

second: y

total $\underline{\hspace{1cm}}$
 $\$5000$

$$x + y = 5000$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

amount interest
invested rate

$$x + y = 5000$$

first: x

second: y

total
\$5000

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount	interest	$x + y = 5000$
	invested	rate	
first:	x	3%	
second:	y	4%	
total	<u>\$5000</u>		

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount invested	interest rate	interest earned	
first:	x	3%		$x + y = 5000$
second:	y	4%		
total	<u>\$5000</u>			

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount invested	interest rate	interest earned	
first:	x	3%	.03x	$x + y = 5000$
second:	y	4%		
total	\$5000			

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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	amount invested	interest rate	interest earned	
first:	x	3%	.03x	$x + y = 5000$
second:	y	4%	.04y	
total	\$5000			

Algebra I Class Worksheet #4 Unit 9

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	amount invested	interest rate	interest earned	
first:	x	3%	.03x	$x + y = 5000$
second:	y	4%	.04y	
total	\$5000		\$185	

Algebra I Class Worksheet #4 Unit 9

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	amount invested	interest rate	interest earned	
first:	x	3%	.03x	$x + y = 5000$
second:	y	4%	.04y	$.03x + .04y$
total	\$5000		\$185	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$\begin{aligned}x + y &= 5000 \\ .03x + .04y &= 185\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

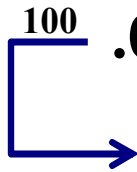
$$\begin{aligned}x + y &= 5000 \\ .03x + .04y &= 185\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

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	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$x + y = 5000$$
$$\overset{100}{\curvearrowright} .03x + .04y = 185$$


Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$\begin{aligned}x + y &= 5000 \\ \overset{100}{\curvearrowright} .03x + .04y &= 185 \\ &\rightarrow 3x\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$\begin{aligned}x + y &= 5000 \\ \overset{100}{\curvearrowright} .03x + .04y &= 185 \\ &\rightarrow 3x + 4y\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$\begin{aligned}x + y &= 5000 \\ \overset{100}{\curvearrowright} .03x + .04y &= 185 \\ \rightarrow 3x + 4y &= 18,500\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

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	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$\begin{aligned}x + y &= 5000 \\ .03x + .04y &= 185 \\ 3x + 4y &= 18,500\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

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	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$\begin{array}{r} -3 \\ \hline x + y = 5000 \\ .03x + .04y = 185 \\ \hline 3x + 4y = 18,500 \end{array}$$

Algebra I Class Worksheet #4 Unit 9

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	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	\$5000		\$185

$$\begin{array}{r} \begin{array}{l} \xrightarrow{-3} \\ \xrightarrow{-3} \end{array} \begin{array}{l} x + y = 5000 \\ .03x + .04y = 185 \end{array} \\ \begin{array}{l} \\ \\ \end{array} \begin{array}{l} \\ \\ 3x + 4y = 18,500 \end{array} \\ \begin{array}{l} \\ \\ \xrightarrow{-3x} \end{array} \end{array}$$

Algebra I Class Worksheet #4 Unit 9

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	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$\begin{array}{r} x + y = 5000 \\ .03x + .04y = 185 \\ 3x + 4y = 18,500 \\ \xrightarrow{-3} -3x - 3y \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	\$5000		\$185

$$\begin{array}{r} \xrightarrow{-3} \\ x + y = 5000 \\ .03x + .04y = 185 \\ 3x + 4y = 18,500 \\ \rightarrow -3x - 3y = -15,000 \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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first:	x	3%	.03x
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total	<u>\$5000</u>		<u>\$185</u>

$$\begin{aligned}x + y &= 5000 \\ .03x + .04y &= 185 \\ 3x + 4y &= 18,500 \\ -3x - 3y &= -15,000\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$\begin{aligned}x + y &= 5000 \\ .03x + .04y &= 185 \\ 3x + 4y &= 18,500 \\ -3x - 3y &= -15,000 \\ \hline\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

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	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	\$5000		\$185

$$\begin{aligned}x + y &= 5000 \\ .03x + .04y &= 185 \\ 3x + 4y &= 18,500 \\ -3x - 3y &= -15,000 \\ \hline y &= 3,500\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	\$5000		\$185

$$\begin{aligned}x + y &= 5000 \\ .03x + .04y &= 185 \\ 3x + 4y &= 18,500 \\ -3x - 3y &= -15,000 \\ \hline y &= 3,500 \\ x + y &= 5000\end{aligned}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$\begin{aligned}x + y &= 5000 \\ .03x + .04y &= 185 \\ 3x + 4y &= 18,500 \\ -3x - 3y &= -15,000 \\ \hline\end{aligned}$$

$$y = 3,500$$

$$x + y = 5000$$

$$x + 3500 = 5000$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

$$\begin{aligned}x + y &= 5000 \\ .03x + .04y &= 185 \\ 3x + 4y &= 18,500 \\ -3x - 3y &= -15,000 \\ \hline\end{aligned}$$

$$y = 3,500$$

$$x + y = 5000$$

$$x + 3500 = 5000$$

$$x = 1500$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

8. Mary invested \$5000, part at 3% per year and the rest at 4% per year. If the total interest for the year was \$185, then how much was invested at each rate?

	amount invested	interest rate	interest earned
first:	x	3%	.03x
second:	y	4%	.04y
total	<u>\$5000</u>		<u>\$185</u>

**She invested \$1500 at 3%
and \$3500 at 4%.**

$$\begin{aligned}x + y &= 5000 \\ .03x + .04y &= 185 \\ 3x + 4y &= 18,500 \\ -3x - 3y &= -15,000 \\ \hline\end{aligned}$$

$$y = 3,500$$

$$x + y = 5000$$

$$x + 3500 = 5000$$

$$x = 1500$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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first:

second:

Algebra I Class Worksheet #4 Unit 9

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9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

volume
of solution

first:

second:

Algebra I Class Worksheet #4 Unit 9

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volume
of solution

first: x

second: y

Algebra I Class Worksheet #4 Unit 9

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volume
of solution

first: x

second: y

Algebra I Class Worksheet #4 Unit 9

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volume
of solution

first: x

second: y

total

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

volume
of solution

first: x

second: y

total 50 cc

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

$$x + y$$

volume
of solution

first: x

second: y

total 50 cc

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

$$x + y = 50$$

volume
of solution

first: x

second: y

total 50 cc

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has **one solution that is 35% acid and another that is 10% acid**. How much of each solution should she use to make 50cc of a solution that is 25% acid?

$$x + y = 50$$

volume
of solution

first: x

second: y

total $\underline{\hspace{1.5cm}}$
50 cc

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has **one solution that is 35% acid and another that is 10% acid**. How much of each solution should she use to make **50cc** of a solution that is **25% acid**?

$$x + y = 50$$

volume percent
of solution acid

first: x

second: y

total 50 cc

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has **one solution that is 35% acid and another that is 10% acid**. How much of each solution should she use to make 50cc of a solution that is 25% acid?

$$x + y = 50$$

	volume	percent
	of solution	acid

first:	x	35%
--------	---	-----

second:	y	
---------	---	--

total	<u>50 cc</u>	
-------	--------------	--

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has **one solution that is 35% acid and another that is 10% acid**. How much of each solution should she use to make 50cc of a solution that is 25% acid?

$$x + y = 50$$

	volume of solution	percent acid
first:	x	35%
second:	y	10%
total	<u>50 cc</u>	

Algebra I Class Worksheet #4 Unit 9

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$$x + y = 50$$

	volume of solution	percent acid
first:	x	35%
second:	y	10%
total	<u>50 cc</u>	

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	volume of solution	percent acid	volume of acid
first:	x	35%	
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total	<u>50 cc</u>	25%	

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$$x + y = 50$$

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	
total	<u>50 cc</u>	25%	

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$$x + y = 50$$

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	<u>50 cc</u>	25%	

Algebra I Class Worksheet #4 Unit 9

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$$x + y = 50$$

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

Algebra I Class Worksheet #4 Unit 9

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9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

$$x + y = 50$$

$$.35x + .10y$$

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

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$$x + y = 50$$

$$.35x + .10y = 12.5$$

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

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$$x + y = 50$$

$$.35x + .10y = 12.5$$

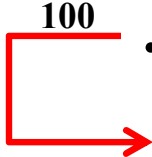
	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

Algebra I Class Worksheet #4 Unit 9

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$$x + y = 50$$


$$.35x + .10y = 12.5$$

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

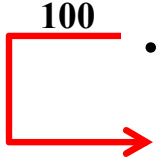
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$$x + y = 50$$

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc


$$.35x + .10y = 12.5$$

35x

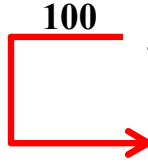
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	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

$$x + y = 50$$

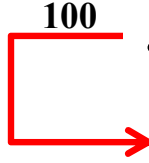

$$.35x + .10y = 12.5$$
$$35x + 10y$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

$$x + y = 50$$
$$.35x + .10y = 12.5$$

$$35x + 10y = 1250$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

$$x + y = 50$$

$$.35x + .10y = 12.5$$

$$35x + 10y = 1250$$

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	<u>50 cc</u>	25%	<u>12.5 cc</u>


Algebra I Class Worksheet #4 Unit 9

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	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

$$\begin{array}{r} x + y = 50 \\ .35x + .10y = 12.5 \\ \hline 35x + 10y = 1250 \end{array}$$



Algebra I Class Worksheet #4 Unit 9

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	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	<u>50 cc</u>	25%	<u>12.5 cc</u>

$$\begin{array}{r} x + y = 50 \\ .35x + .10y = 12.5 \\ \hline 35x + 10y = 1250 \\ -10x \end{array}$$

Algebra I Class Worksheet #4 Unit 9

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	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

$$\begin{array}{r}
 x + y = 50 \\
 .35x + .10y = 12.5 \\
 \hline
 35x + 10y = 1250 \\
 -10x - 10y \\
 \hline
 \end{array}$$

-10

Algebra I Class Worksheet #4 Unit 9

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	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

$$\begin{array}{r} x + y = 50 \\ .35x + .10y = 12.5 \\ 35x + 10y = 1250 \\ -10x - 10y = -500 \end{array}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

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	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	<u>50 cc</u>	25%	<u>12.5 cc</u>

$$x + y = 50$$

$$.35x + .10y = 12.5$$

$$35x + 10y = 1250$$

$$-10x - 10y = -500$$

Algebra I Class Worksheet #4 Unit 9

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	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

$$x + y = 50$$

$$.35x + .10y = 12.5$$

$$35x + 10y = 1250$$

$$\underline{-10x - 10y = -500}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

	volume of solution	percent acid	volume of acid	
first:	x	35%	.35x	x + y = 50
second:	y	10%	.10y	.35x + .10y = 12.5
total	<u>50 cc</u>	25%	<u>12.5 cc</u>	35x + 10y = 1250
				<u>-10x - 10y = -500</u>
				25x

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

$$x + y = 50$$

$$.35x + .10y = 12.5$$

$$35x + 10y = 1250$$

$$\underline{-10x - 10y = -500}$$

$$25x = 750$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	<u>50 cc</u>	25%	<u>12.5 cc</u>

$$x + y = 50$$

$$.35x + .10y = 12.5$$

$$35x + 10y = 1250$$

$$\underline{-10x - 10y = -500}$$

$$25x = 750$$

$$x = 30$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

$$x + y = 50$$

$$.35x + .10y = 12.5$$

$$35x + 10y = 1250$$

$$\underline{-10x - 10y = -500}$$

$$25x = 750$$

$$x = 30$$

$$x + y = 50$$

Algebra I Class Worksheet #4 Unit 9

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	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	<u>50 cc</u>	25%	<u>12.5 cc</u>

$$x + y = 50$$

$$.35x + .10y = 12.5$$

$$35x + 10y = 1250$$

$$\underline{-10x - 10y = -500}$$

$$25x = 750$$

$$x = 30$$

$$x + y = 50$$

$$30 + y = 50$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

$$x + y = 50$$

$$.35x + .10y = 12.5$$

$$35x + 10y = 1250$$

$$\underline{-10x - 10y = -500}$$

$$25x = 750$$

$$x = 30$$

$$x + y = 50$$

$$30 + y = 50$$

$$y = 20$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

9. A chemist has one solution that is 35% acid and another that is 10% acid. How much of each solution should she use to make 50cc of a solution that is 25% acid?

	volume of solution	percent acid	volume of acid
first:	x	35%	.35x
second:	y	10%	.10y
total	50 cc	25%	12.5 cc

$$\begin{aligned}
 x + y &= 50 \\
 .35x + .10y &= 12.5 \\
 35x + 10y &= 1250 \\
 \underline{-10x - 10y} &= \underline{-500} \\
 25x &= 750
 \end{aligned}$$

$$x = 30$$

$$x + y = 50$$

$$30 + y = 50$$

$$y = 20$$

She should use 30 cc of the 35% solution and 20 cc of the 10% solution.

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

burger:

fries:

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

cost
each

burger:

fries:

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

cost
each

burger: x ¢

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. **Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?**

cost
each

burger: x ¢

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

10. **Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?**

6x

cost
each

burger: x ¢

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. **Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?**

$$6x + 4y$$

cost
each

burger: x ¢

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete** solution **neatly organized**.

10. **Six burgers and four orders of fries cost \$8.70.** Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

burger: x ¢

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

burger: x ¢

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x$$

burger: x ¢

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y$$

burger: x ¢

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y = 660$$

burger: x ¢

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y = 660$$


burger: x ¢

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.


10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
cost each		$3x + 5y = 660$	
burger:	x	¢	
fries:	y	¢	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.


10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
		$3x + 5y = 660$	
	cost		
	each		
burger:	x ¢	$30x$	
fries:	y ¢		

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
cost each		$3x + 5y = 660$	
burger:	x ¢	$30x + 20y$	
fries:	y ¢		

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	$\xrightarrow{5}$
cost		$3x + 5y = 660$	
each			
burger:	x	$30x + 20y = 4350$	\leftarrow
fries:	y		

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y = 660$$

burger: x ¢

$$30x + 20y = 4350$$

fries: y ¢

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
cost		$3x + 5y = 660$	-4
each			←
burger: x ¢		$30x + 20y = 4350$	←
fries: y ¢			

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?


		$6x + 4y = 870$	
cost		$3x + 5y = 660$	-4
each			←
burger:	x ¢	$30x + 20y = 4350$	
fries:	y ¢	$-12x$	←

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
	cost	$3x + 5y = 660$	-4
	each		
burger:	x ¢	$30x + 20y = 4350$	
fries:	y ¢	$-12x - 20y$	




Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
	cost	$3x + 5y = 660$	-4
	each		
burger:	x ¢	$30x + 20y = 4350$	
fries:	y ¢	$-12x - 20y = -2640$	



Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y = 660$$

burger: x ¢

$$30x + 20y = 4350$$

fries: y ¢

$$\underline{-12x - 20y = -2640}$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y = 660$$

burger: x ¢

$$30x + 20y = 4350$$

fries: y ¢

$$\underline{-12x - 20y = -2640}$$

$$18x$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y = 660$$

burger: x ¢

$$30x + 20y = 4350$$

fries: y ¢

$$-12x - 20y = -2640$$

$$18x = 1710$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y = 660$$

burger: x ¢

$$30x + 20y = 4350$$

fries: y ¢

$$-12x - 20y = -2640$$

$$18x = 1710$$

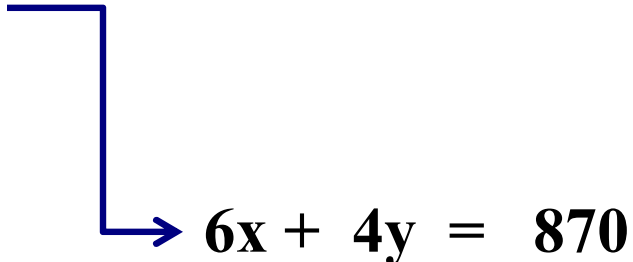
$$x = 95$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
	cost	$3x + 5y = 660$	
	each		
burger:	x ¢	$30x + 20y = 4350$	
fries:	y ¢	$-12x - 20y = -2640$	
		<hr/>	
		$18x = 1710$	
		$x = 95$	



Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y = 660$$

burger: x ¢

$$30x + 20y = 4350$$

$$6x + 4y = 870$$

fries: y ¢

$$\underline{-12x - 20y = -2640}$$

$$18x = 1710$$

$$x = 95$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
	cost	$3x + 5y = 660$	-2
	each		
burger:	x ¢	$30x + 20y = 4350$	
fries:	y ¢	$-12x - 20y = -2640$	
		<hr/>	
		$18x = 1710$	
		$x = 95$	
			$6x + 4y = 870$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
	cost	$3x + 5y = 660$	-2
	each		
burger:	x ¢	$30x + 20y = 4350$	
fries:	y ¢	$-12x - 20y = -2640$	
		<hr/>	
		$18x = 1710$	
		$x = 95$	

$6x + 4y = 870$

$-6x$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
	cost	$3x + 5y = 660$	-2
	each		
burger:	x ¢	$30x + 20y = 4350$	
fries:	y ¢	$-12x - 20y = -2640$	
		<hr/>	
		$18x = 1710$	
		$x = 95$	

$6x + 4y = 870$

$-6x - 10y$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
	cost	$3x + 5y = 660$	-2
	each		
burger:	x ¢	$30x + 20y = 4350$	
fries:	y ¢	$-12x - 20y = -2640$	
		<hr/>	
		$18x = 1710$	
		$x = 95$	
			$6x + 4y = 870$
			$-6x - 10y = -1320$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y = 660$$

burger: x ¢

$$30x + 20y = 4350$$

$$6x + 4y = 870$$

fries: y ¢

$$-12x - 20y = -2640$$

$$-6x - 10y = -1320$$

$$18x = 1710$$

$$x = 95$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

cost
each

$$3x + 5y = 660$$

burger: x ¢

$$30x + 20y = 4350$$

$$6x + 4y = 870$$

fries: y ¢

$$-12x - 20y = -2640$$

$$-6x - 10y = -1320$$

$$18x = 1710$$

$$-6y$$

$$x = 95$$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
	cost each	$3x + 5y = 660$	
burger:	x ¢	$30x + 20y = 4350$	$6x + 4y = 870$
fries:	y ¢	$-12x - 20y = -2640$	$-6x - 10y = -1320$
		<hr/>	<hr/>
		$18x = 1710$	$-6y = -450$
		$x = 95$	

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
	cost each	$3x + 5y = 660$	
burger:	x ¢	$30x + 20y = 4350$	$6x + 4y = 870$
fries:	y ¢	$-12x - 20y = -2640$	$-6x - 10y = -1320$
		<hr/>	<hr/>
		$18x = 1710$	$-6y = -450$
		$x = 95$	$y = 75$

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

		$6x + 4y = 870$	
	cost each	$3x + 5y = 660$	
burger:	$x \text{ ¢}$	$30x + 20y = 4350$	$6x + 4y = 870$
fries:	$y \text{ ¢}$	$-12x - 20y = -2640$	$-6x - 10y = -1320$
		<hr/>	<hr/>
		$18x = 1710$	$-6y = -450$
		$x = 95$	$y = 75$

A burger costs 95 ¢ each, and an order of fries costs 75 ¢ each.

Algebra I Class Worksheet #4 Unit 9

Write a system of **two equations** with **two variables** and solve each of the following problems. Show your **complete solution neatly organized**.

10. Six burgers and four orders of fries cost \$8.70. Three burgers and five orders of fries cost \$6.60. How much does each item cost?

$$6x + 4y = 870$$

Good luck on your homework !!

burger: x ¢

$$30x + 20y = 4350$$

$$6x + 4y = 870$$

fries: y ¢

$$-12x - 20y = -2640$$

$$-6x - 10y = -1320$$

$$18x = 1710$$

$$-6y = -450$$

$$x = 95$$

$$y = 75$$

A burger costs 95 ¢ each, and an order of fries costs 75 ¢ each.

